

## Equilibration of integer quantum Hall edge channels studied by scanning gate microscopy

N. Paradiso<sup>1</sup>, S. Heun<sup>1\*</sup>, S. Roddaro<sup>1</sup>, D. Venturelli<sup>1</sup>, F. Taddei<sup>1</sup>, V. Giovannetti<sup>1</sup>, R. Fazio<sup>1</sup>, G. Biasiol<sup>2</sup>, L. Sorba<sup>1</sup>,  
and F. Beltram<sup>1</sup>

<sup>1</sup>*NEST, Istituto Nanoscienze-CNR and Scuola Normale Superiore, Pisa (PI), Italy*

<sup>2</sup>*Istituto Officina dei Materiali CNR, Laboratorio TASC, Basovizza (TS), Italy*

The concept of one-dimensional (1D) edge channels can be successfully applied to the description of transport phenomena in two-dimensional electron systems (2DES) in the quantum Hall (QH) regime [1]. QH resistance is not sensitive to inter-channel scattering, but there is renewed interest in interactions between copropagating edge channels [2] mostly in view of possible applications in quantum information technology [3]. Inter-channel transport was studied in the past by several authors (for a review, see [1]), but only in devices with fixed channel interaction length  $d$ . Here we demonstrate for the first time the use of scanning gate microscopy (SGM) to realize devices in which  $d$  can be tuned continuously. We shall argue that this level of control is crucial to pinpoint the exact mechanism of edge-edge interaction.

Figure 1 schematically illustrates our experiment: inner ( $i$ ) and outer ( $o$ ) edge channels originate from two distinct voltage contacts at potential  $V_1$  and  $V_2$ , respectively. They propagate together for a distance  $d$  and are then separated and guided to two current contacts  $I_A$  and  $I_B$ , respectively. In what follows we set  $V_1 = V$  and  $V_2 = 0$ . If we assume that there is no equilibration between the two (spin-degenerate) edge channels, then  $I_A = 2 e^2/h V$  and  $I_B = 0$ . On the other hand, if we assume that the two edge channels equilibrate their voltage imbalance completely, then  $I_A = I_B = e^2/h V$ . In a model of spatially-uniform interaction one expects differential conductance to scale as  $G_B = \partial_V I_B = G_0(1 - e^{-2d/l})$  with  $G_0 = e^2/h$  and  $l$  the equilibration length [4]. Therefore, a measurement of  $I_A$  and  $I_B$  as a function of  $d$  and  $V$  makes it possible to analyze the equilibration behavior and verify if it is indeed consistent with an exponential decay. Moreover it yields the value of  $l$  as a function of  $V$ .

Devices were realized starting from a high-mobility AlGaAs/GaAs heterostructure. A 6  $\mu\text{m}$ -long 1D channel of two Schottky-gates with a constriction gap of 1  $\mu\text{m}$  was patterned on the sample. Experiments were performed at 300 mK and bulk 2DES filling factor  $\nu = 4$  (two spin-degenerate edge channels). The selective backscattering of individual edge channels was achieved by the biased tip of a SGM, as described in detail in Ref. [5]. The inner and outer edge channels meet at the entrance of the 1D channel and travel in close proximity for a distance  $d$  before they are separated by the action of the SGM tip. Figure 2 shows the resulting differential conductance  $G_B$  as a function of  $d$  for a voltage  $V = 5$  mV. The curve starts for  $d = 0$  at  $G_B = 0$ , i.e. no equilibration occurs, and nearly reaches  $G_B = e^2/h$  for  $d \sim 5$   $\mu\text{m}$ , i.e. complete equilibration is achieved.

We shall discuss our experimental results based on a theoretical model which takes into account the effect of impurities present in the 1D channel.

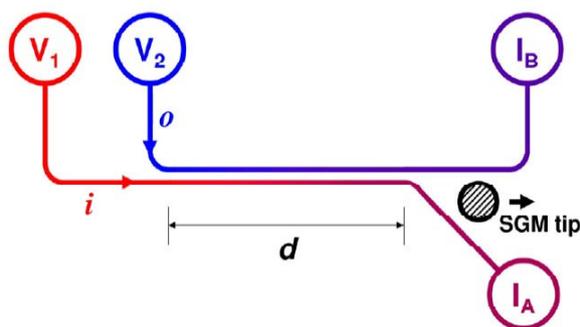


Fig. 1: Sketch of the experimental setup

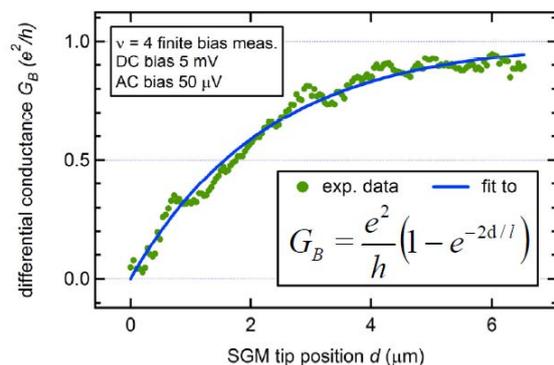


Fig. 2: Conductance  $G_B$  vs.  $d$ ; from fit:  $l = 4.5$   $\mu\text{m}$

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\*S. Heun, e-mail: stefan.heun@sns.it, Tel: +39-050-509 472, Fax: +39-050-509 417