

# A novel sensitive calorimetric technique to study energy (heat) exchange at the nano-scale

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F. Fabbri<sup>2,3</sup>, C. Coletti<sup>2,3</sup>, and S. Heun<sup>1</sup>*

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National Enterprise for nanoScience and nanoTechnology

NEST



# OUTLINE

➤ Calorimetry



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- Calorimetry at the nano-scale

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  - ❖ sensor structure
  - ❖ thermal model
  - ❖ first direct detection of Hydrogen adsorption on Ti-MLG at room temperature

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  - ❖ thermal model
  - ❖ first direct detection of Hydrogen adsorption on Ti-MLG at room temperature
- Conclusions & outlooks

# ROAD TO APPLICATIONS...

Design and fabrication of the **SENSOR** → characterization and calibration

Si substrate + Au thermometer

New calorimetric technique → first measurement on a **TEST SAMPLE**

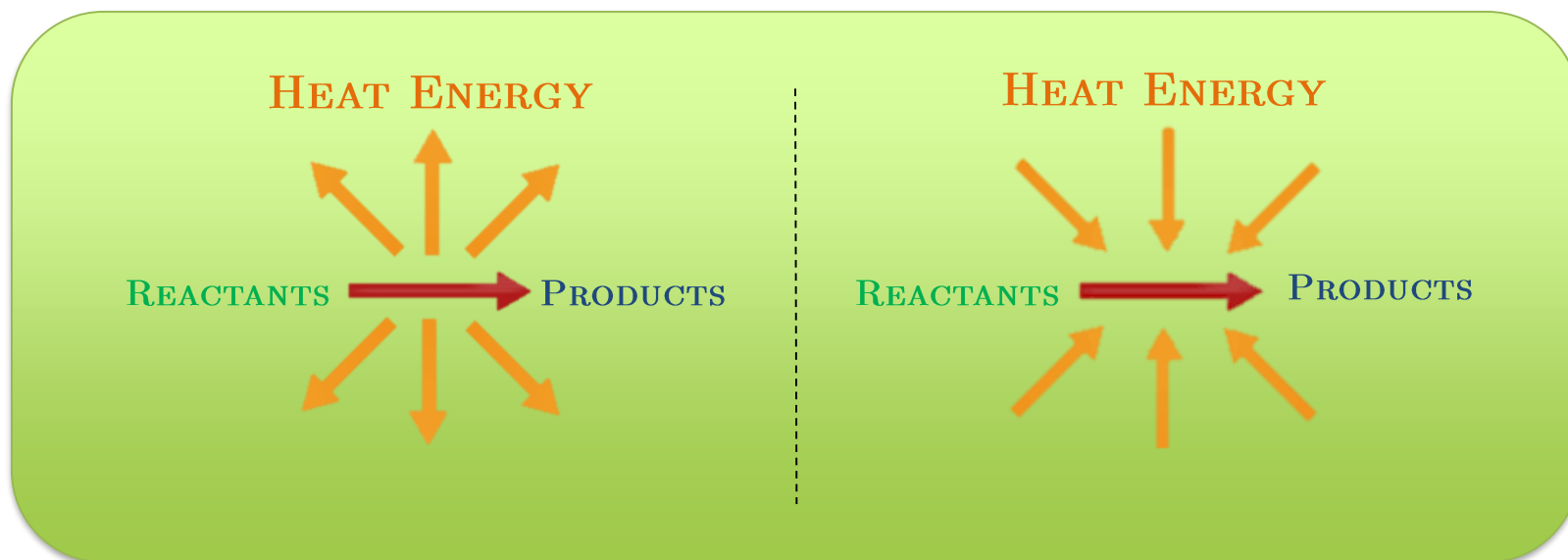
Hydrogenation of Ti-MLG  
comparison with TDS

Improvements and implementation → **APPLICATIONS**

investigate novel 2-D materials  
sensors and catalyzers  
ultra-sensitive thermal imaging  
microbolometers

# CALORIMETRY

Every time a chemical reaction occurs, an **energy exchange** between reactants and environment occurs



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Every time a chemical reaction occurs, an **energy exchange** between reactants and environment occurs

The study of this energy flux gives invaluable information on the processes underlying the **evolution of the system**



# CALORIMETRY



# ENTHALPY VARIATION

While the absolute amount of energy in a chemical system is difficult to measure or to calculate, the **enthalpy variation** is much easier to work with.

$\Delta H$  consists in the change in the *internal energy*  $\Delta U$  plus the *work*  $L$  needed to change the system's volume  $V$ :

$$\Delta H = \Delta U + L = C_p \cdot \Delta T + V \cdot \Delta P = \delta Q + V \cdot \Delta P$$

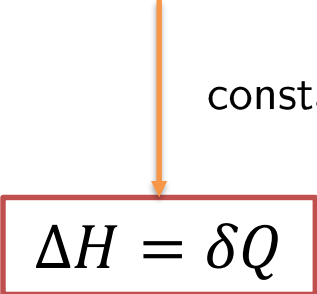
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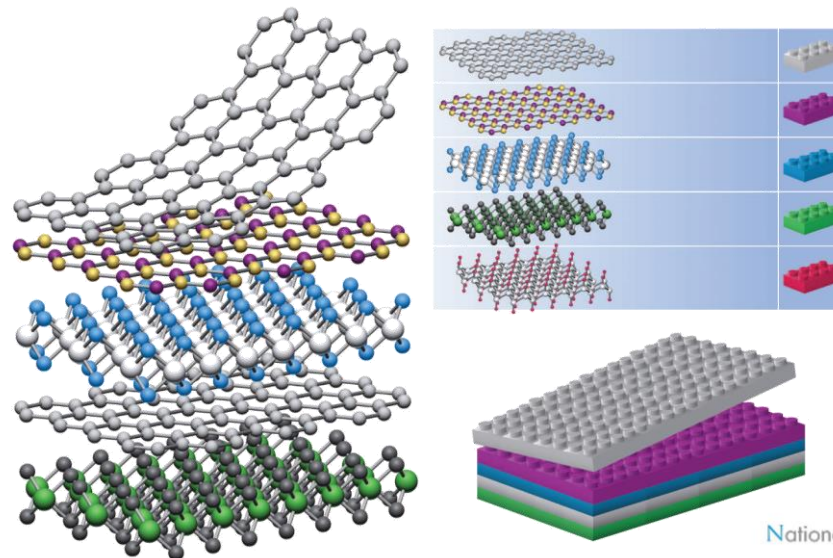


$$\Delta H = \delta Q$$

# INTO THE NANO-SCALE

In the last decades, research has resulted in an increasing number of devices at the **micro-** or **nano-**scale.

Sensors, catalyzers, and energy storage systems are more and more designed as **nano-devices** which represent the building blocks for commercial "macroscopic" objects.



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Usual requirements of commercial devices are:

- ❖ sample mass in the milligrams range (10 – 100 mg)
- ❖ sensitivity in energy detection ( $E \geq 1 \text{ mJ}$ )



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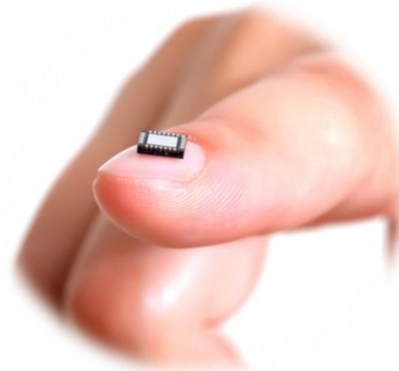




# FROM MACRO TO NANO



We developed a sensor able to measure  $10^{-10}$  mol ( $\sim 10^{-10}$  g) of stored hydrogen, in a sample of  $5 \times 5$  mm<sup>2</sup> size.





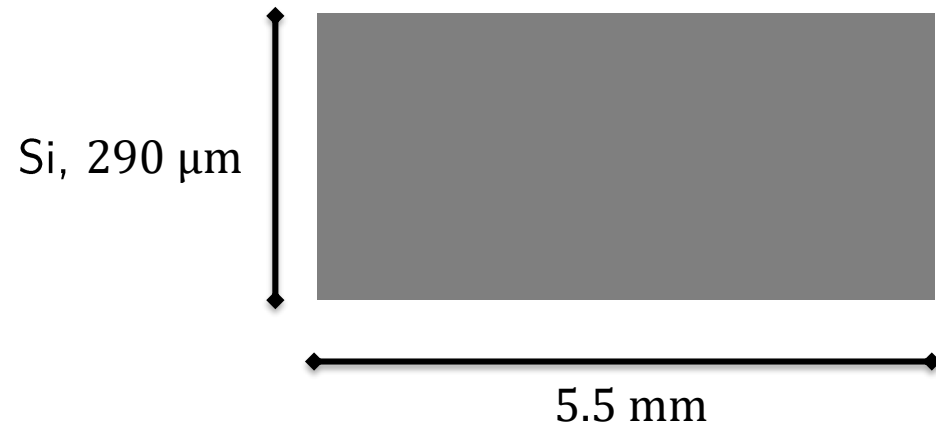
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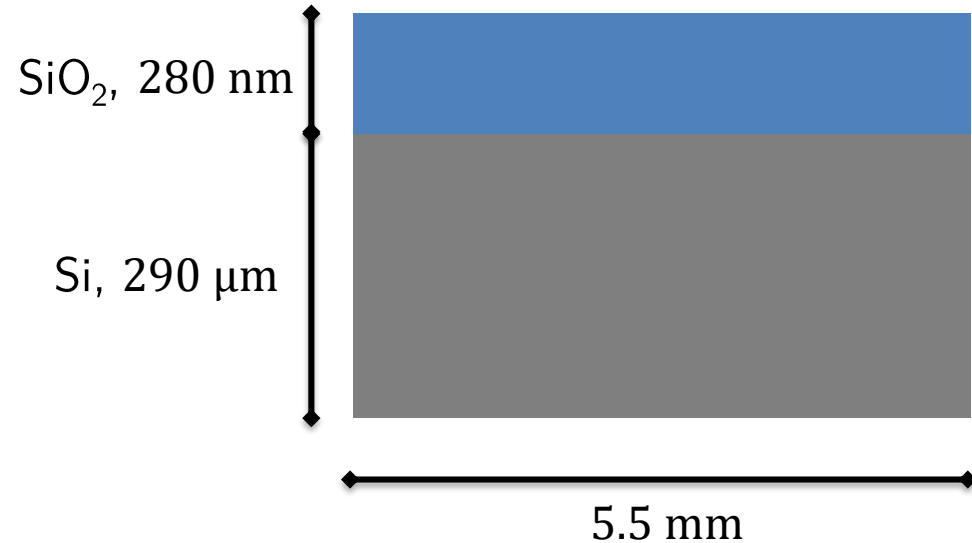
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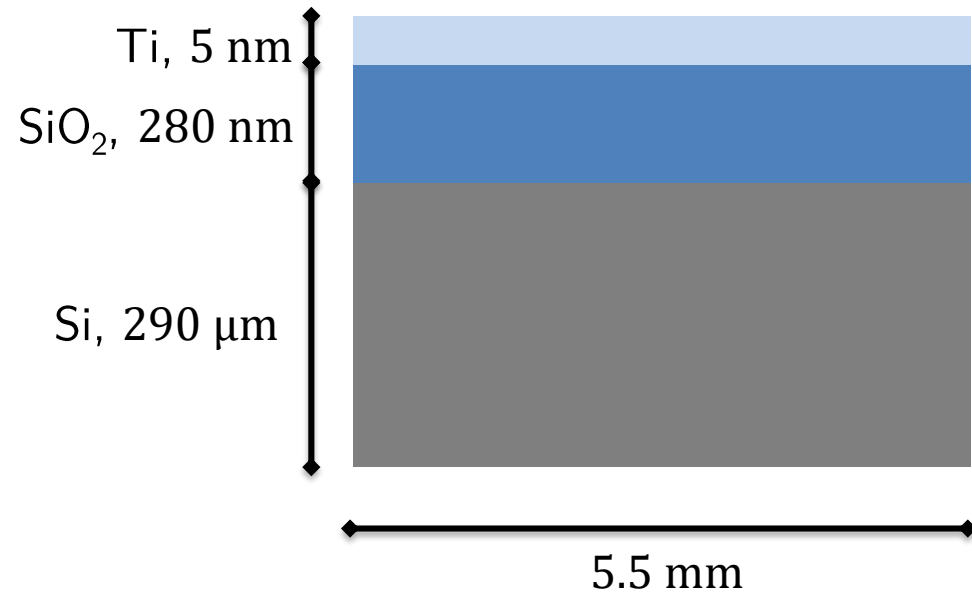
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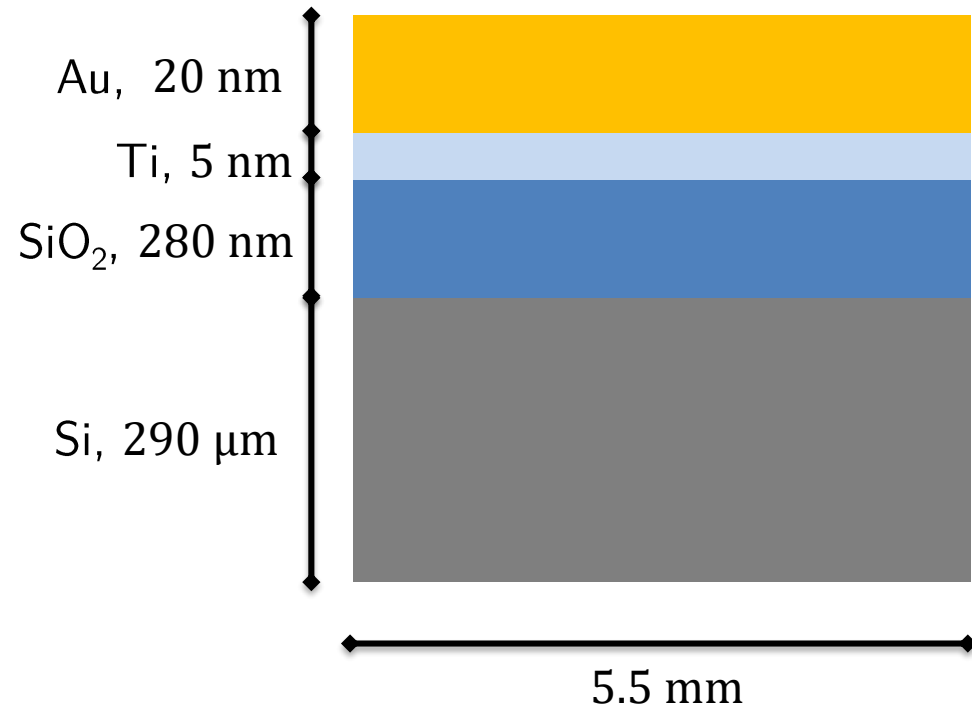
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- Au (20 nm), as thermometer



# THERMOMETRIC SENSOR

The idea is to utilize a thin film of gold as a thermometer, exploiting the linear relation (valid from 50 to 900 K):

$$R(T) = R_0[1 + \alpha(T - T_0)]$$

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Gold has:

- suitable resistance temperature coefficient
- good thermal and electrical conductivities
- low chemical reactivity



# THERMAL MODEL

In our thermal model we consider the thermometer heated by the absorption of a **thermal power**  $P(t) \rightarrow \Delta T(t) = T(t) - T_0$

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$$\Delta T(t) = \frac{P}{\lambda} \left( 1 - e^{-t/\tau} \right)$$

$$\tau = \frac{C}{\lambda} \quad P(t) = P \text{ (fixed)} \rightarrow \lambda$$

# WHY Ti-MLG?

In the hydrogen storage field solid-state graphene-based devices are under **extensive investigations**. We chose Ti-functionalized monolayer graphene because:

## STM study

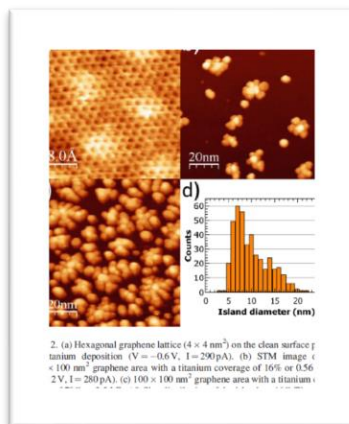


Figure 2: (a) Hexagonal graphene lattice (4 × 4 nm<sup>2</sup>) on the clean surface. (b) STM image of a 100 nm<sup>2</sup> graphene area with a titanium coverage of 16%. (c) STM image of a 100 × 100 nm<sup>2</sup> graphene area with a titanium coverage of 56%. (d) Histogram of island diameters (nm) for the titanium islands.

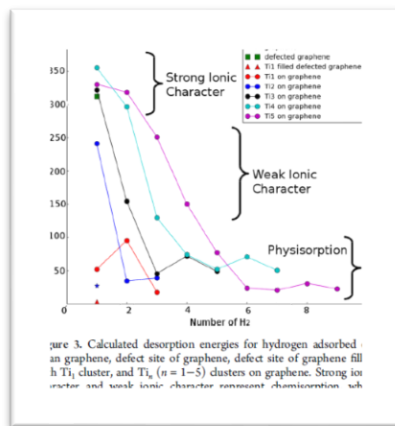


Figure 3: Calculated desorption energies for hydrogen adsorbed on an graphene, defect site of graphene, defect site of graphene filled with Ti<sub>1</sub> cluster, and Ti<sub>n</sub> (n = 1–5) clusters on graphene. Strong ionic character and weak ionic character represent chemisorption with

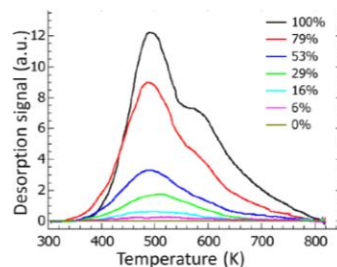


Figure 3: Temperature-dependent desorption spectra of molecular deuterium (D<sub>2</sub>) for titanium coverages between 0% and 100%. The amount of adsorbed deuterium increases with Ti coverage. The desorption starts at around 100 K and reaches a maximum around 485 K. At higher Ti-coverage,

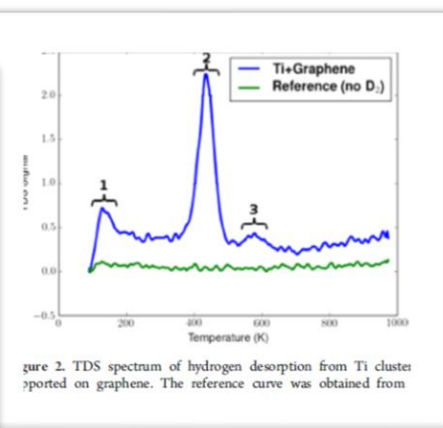


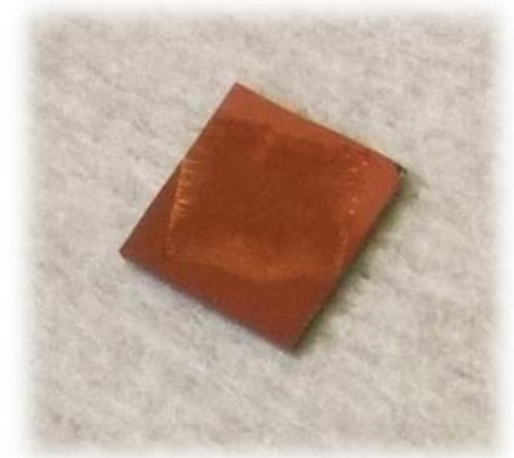
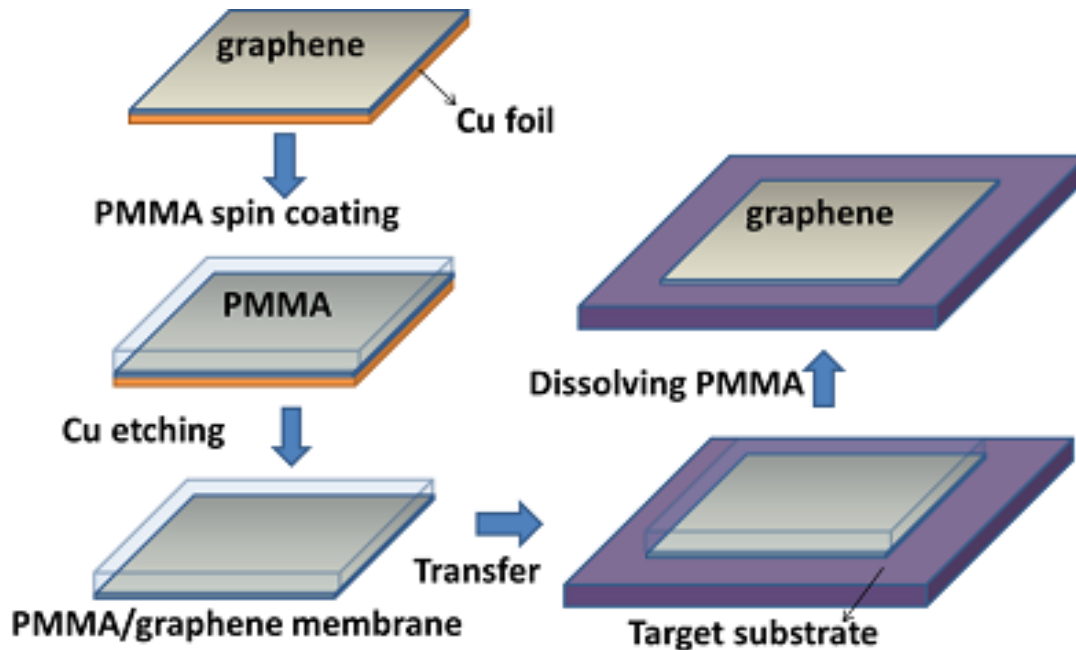
Figure 2: TDS spectrum of hydrogen desorption from Ti cluster supported on graphene. The reference curve was obtained from a clean graphene surface.

## TDS measurements

## theoretical investigation

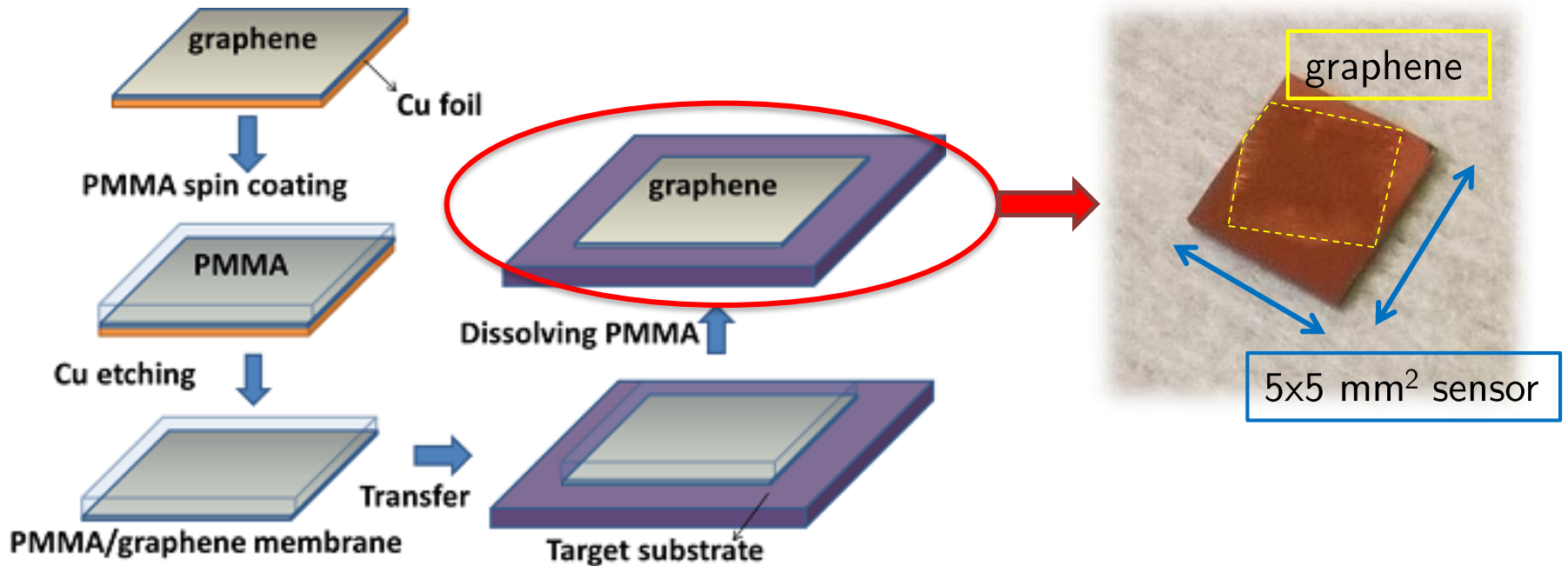
# GRAPHENE TRANSFER

Using a standard PMMA-assisted transfer process we transferred MLG onto the gold-coated SiO<sub>2</sub>/Si substrates



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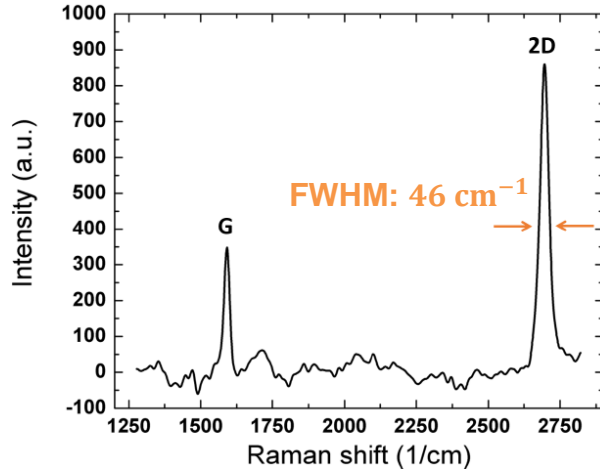
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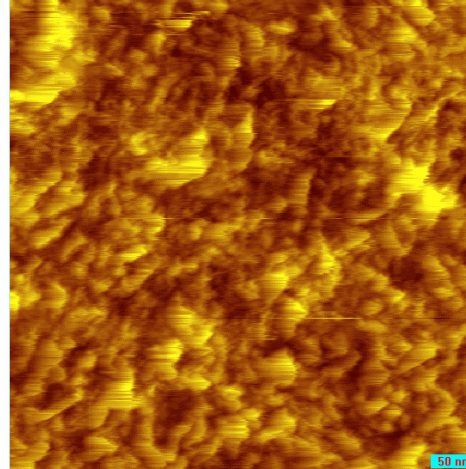
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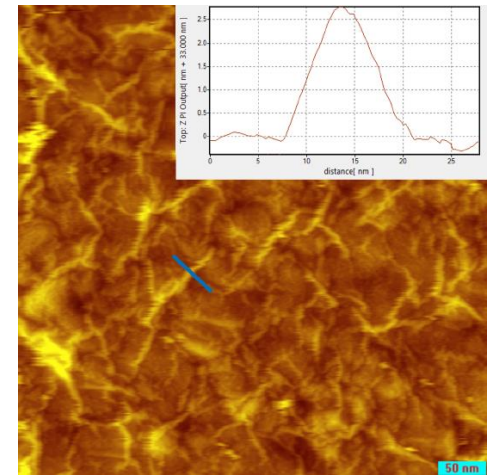
We performed *Raman Spectroscopy* and *STM*, in order to properly characterize the sample



Raman spectrum of MLG



STM on Au



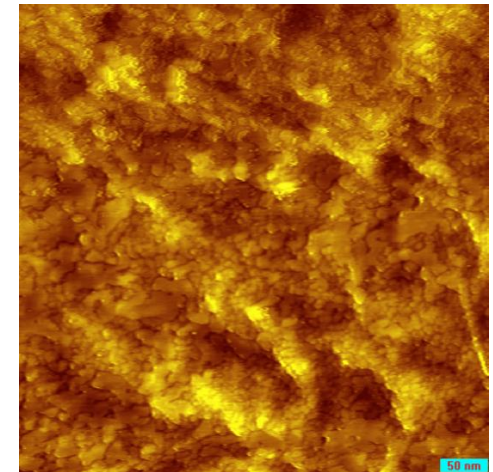
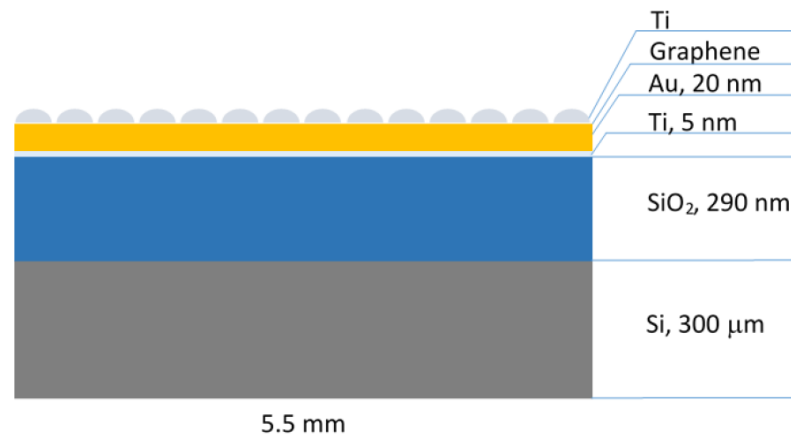
STM on MLG

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Finally we deposited Ti, reaching a 100% coverage

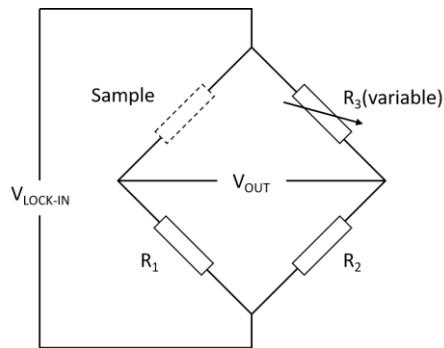


STM on Ti-MLG



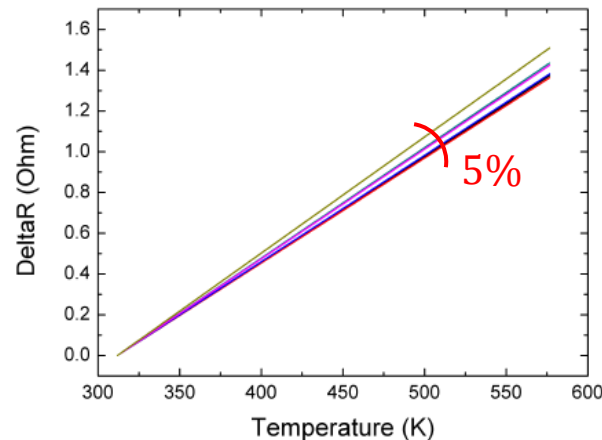
# SAMPLE CALIBRATION

To enhance the sensitivity, we use a **Wheatstone bridge** setup, and we perform a final calibration of the sample, obtaining the effective parameters  $\alpha_{eff}$  (*temperature coefficient of resistance*) and  $\rho_{eff}$  (*electrical resistivity*)



$$R_1 = R_2 = 1\text{K}\Omega$$

$$R_3 \approx R_S(T_0)$$

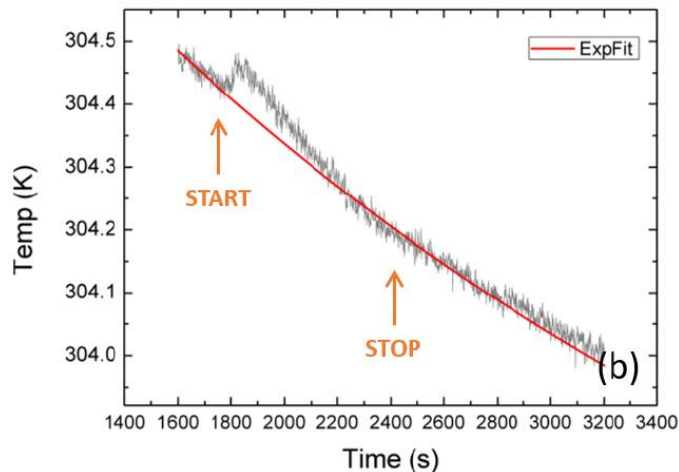


$$\alpha_{eff} = (1.8 \pm 0.3)10^{-3}\text{K}^{-1}$$

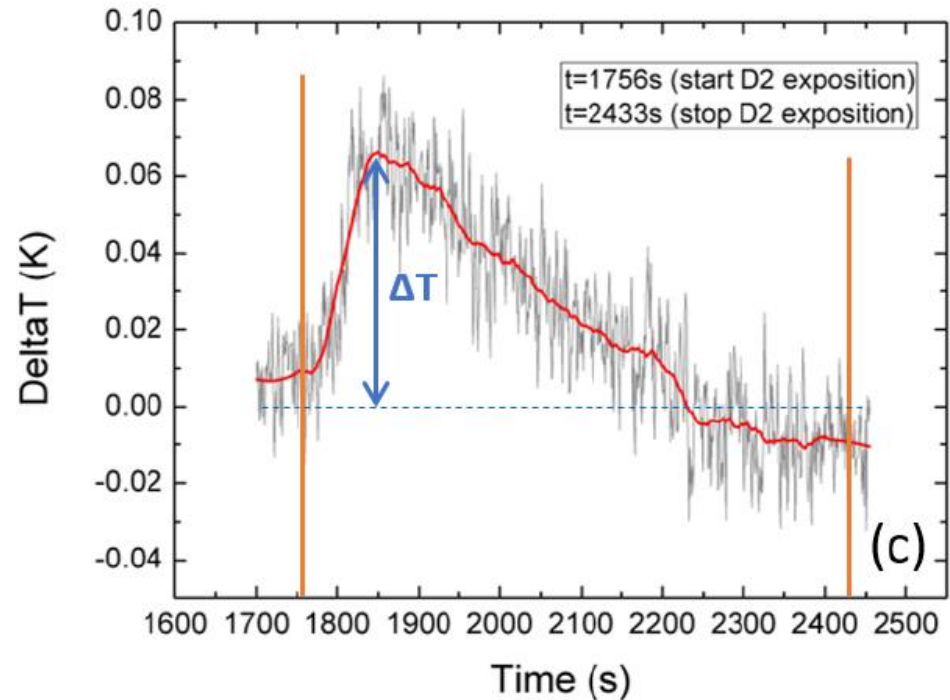
$$\rho_{eff} = (3.6 \pm 0.4)10^{-8}\Omega\text{m}$$

# CALORIMETRY DURING HYDROGENATION

During the exposure of the sample to  $D_2$  (better signal-to-noise ratio in the mass spectrometer for the TDS), at a pressure of  $\sim 1 \cdot 10^{-7}$  mbar, for 5 min, we record the temperature of the sensor

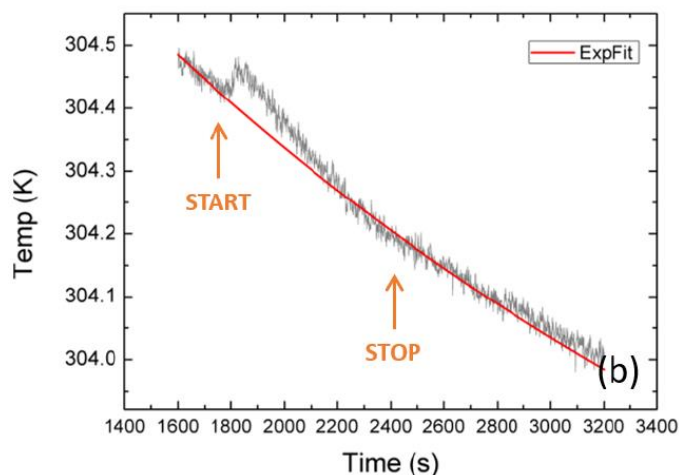


exponential fit of the cooling after the Ti deposition

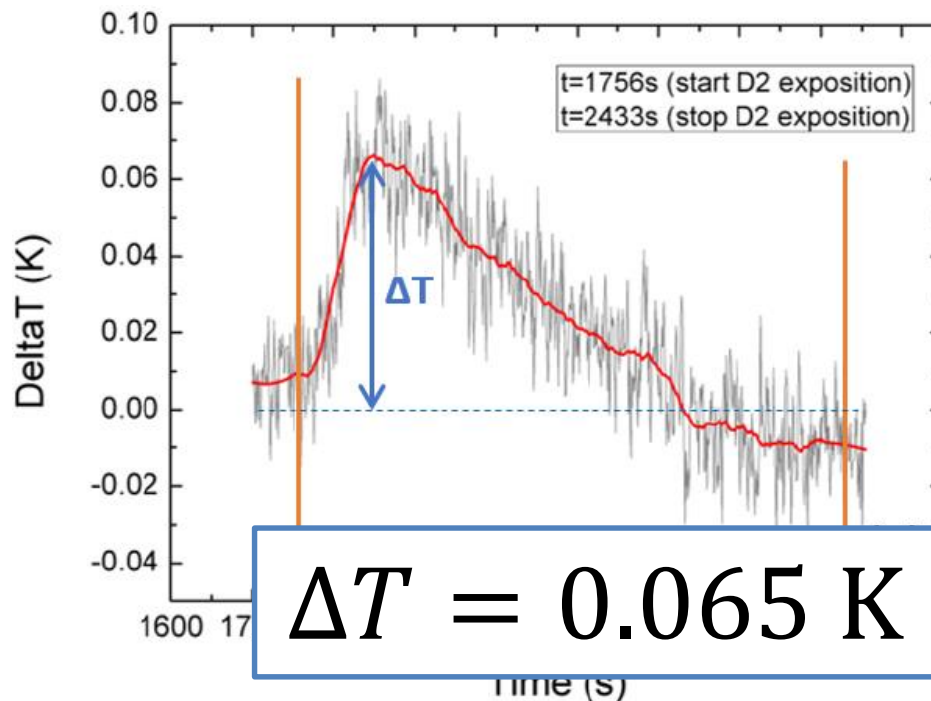


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In that case  $P(t) = \frac{\delta H_r(t)}{\delta t}$ , with  $H_r$  the total heat release

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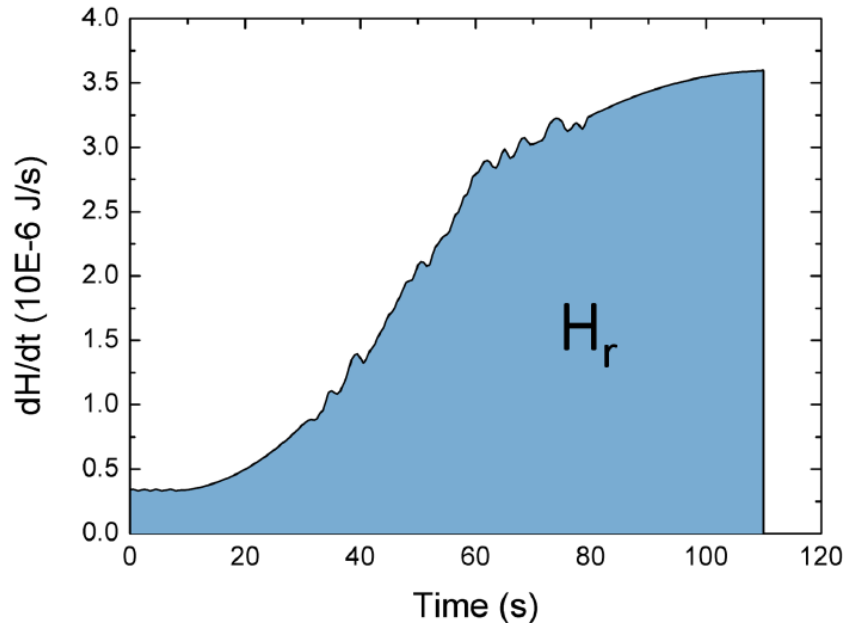
$$\tau = (2.9 \pm 0.6) \text{ s}$$

$$\lambda = (5.1 \pm 1.1) \cdot 10^{-6} \text{ W/K}$$

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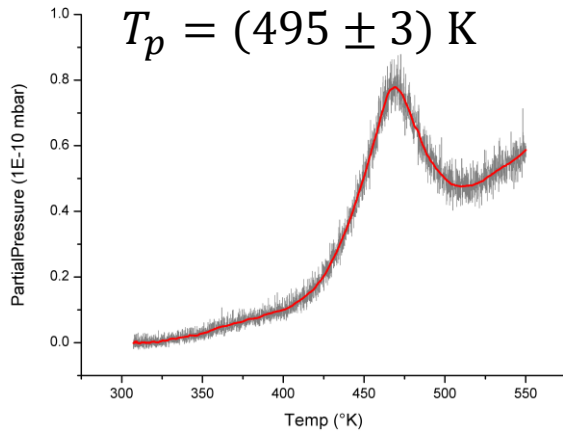
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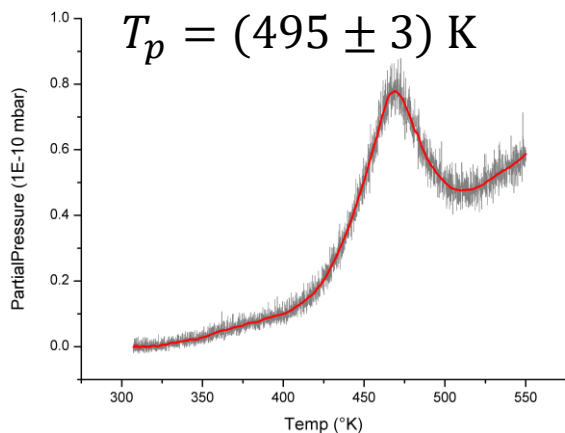
TDS vs Temperature

$$\frac{E_d}{k_B T_p} = A \tau_m \exp\left(-\frac{E_d}{k_B T_p}\right)$$

$$E_d = (1.32 \pm 0.07) \text{ eV/molecule}$$



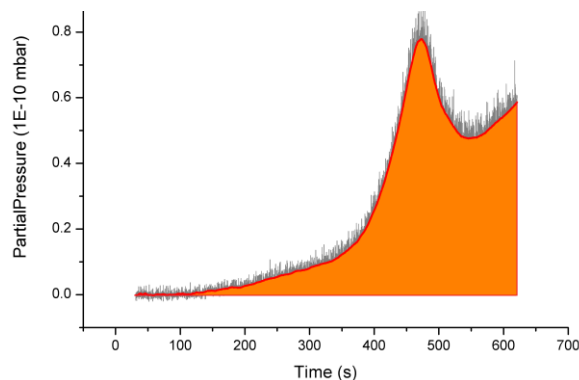
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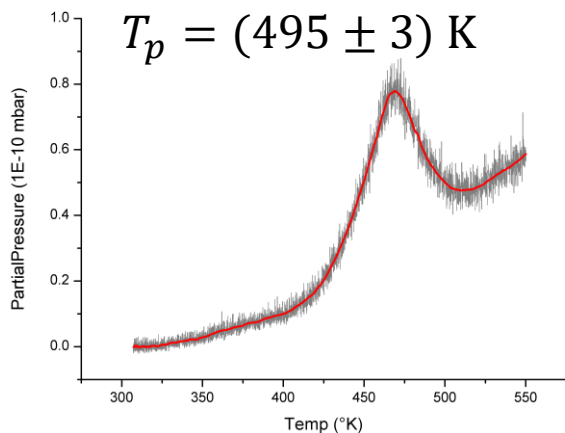
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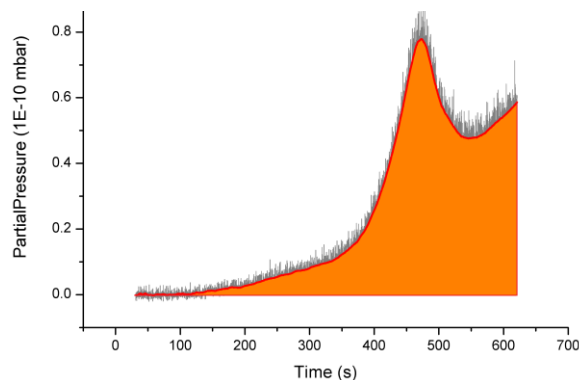
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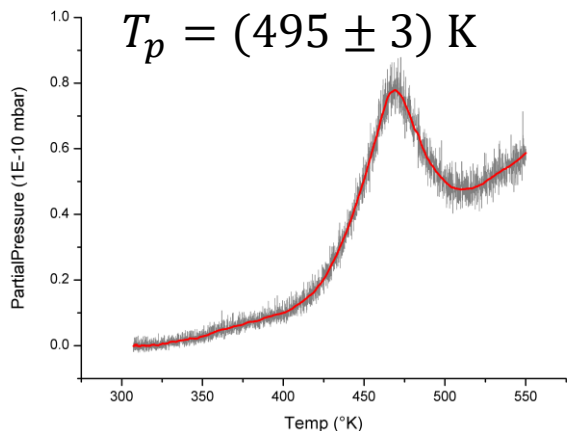
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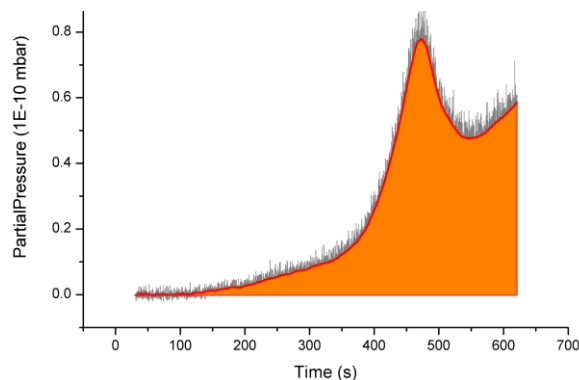
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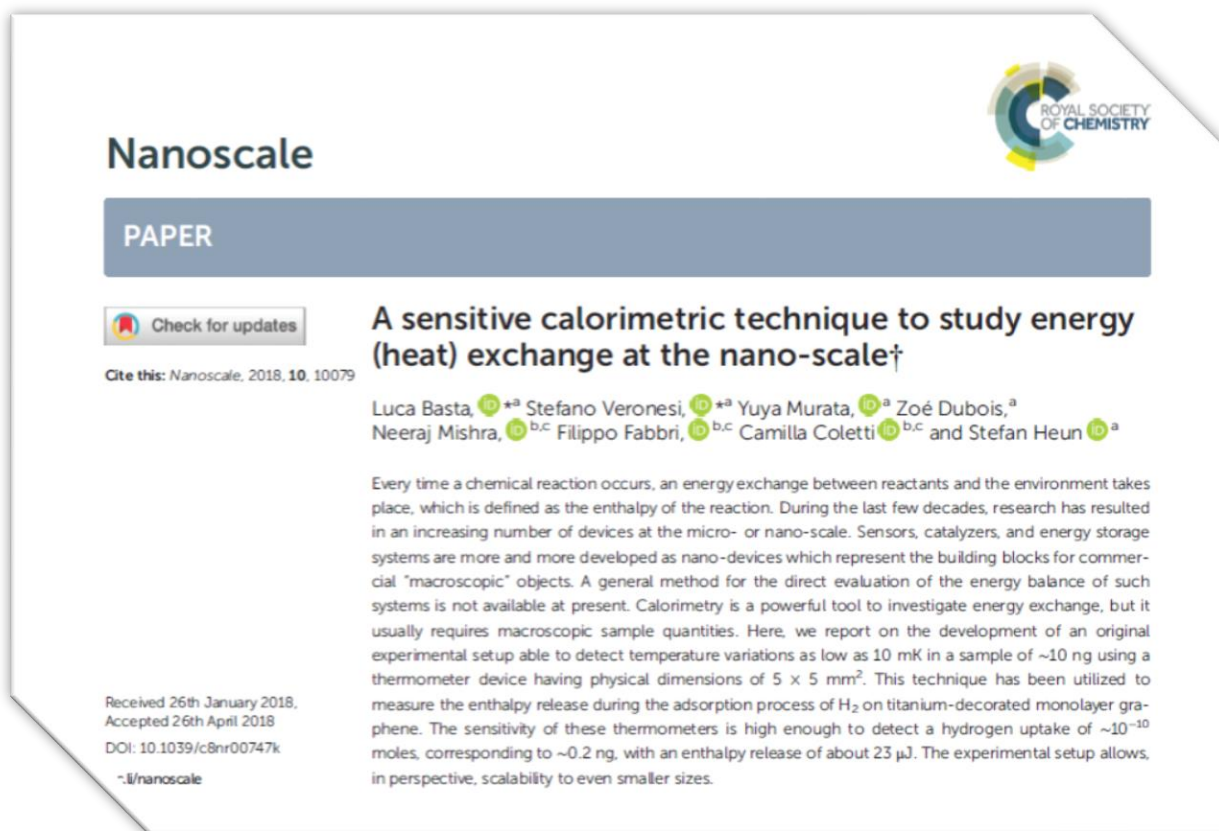
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- **Direct** and **non-destructive** technique (compared to the standard TDS method)




# CONCLUSIONS

➤ Paper published: « *Nanoscale*, 2018, **10**, 10079 »










**Nanoscale**

PAPER

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**A sensitive calorimetric technique to study energy (heat) exchange at the nano-scale†**

Luca Basta, <sup>\*,a</sup> Stefano Veronesi, <sup>\*,a</sup> Yuya Murata, <sup>a</sup> Zoé Dubois,<sup>a</sup> Neeraj Mishra, <sup>b,c</sup> Filippo Fabbri, <sup>b,c</sup> Camilla Coletti <sup>b,c</sup> and Stefan Heun <sup>a</sup>

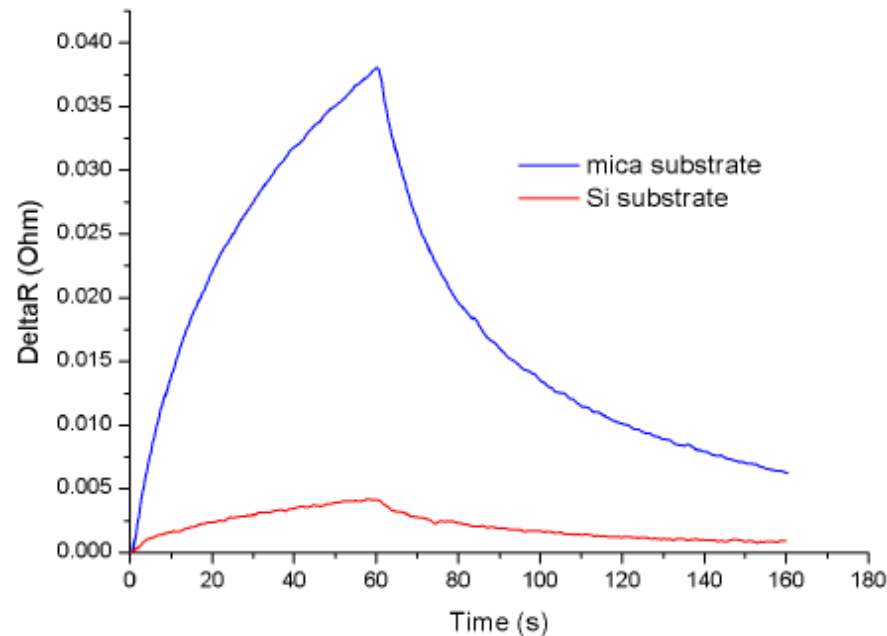
Every time a chemical reaction occurs, an energy exchange between reactants and the environment takes place, which is defined as the enthalpy of the reaction. During the last few decades, research has resulted in an increasing number of devices at the micro- or nano-scale. Sensors, catalyzers, and energy storage systems are more and more developed as nano-devices which represent the building blocks for commercial "macroscopic" objects. A general method for the direct evaluation of the energy balance of such systems is not available at present. Calorimetry is a powerful tool to investigate energy exchange, but it usually requires macroscopic sample quantities. Here, we report on the development of an original experimental setup able to detect temperature variations as low as 10 mK in a sample of ~10 ng using a thermometer device having physical dimensions of 5 × 5 mm<sup>2</sup>. This technique has been utilized to measure the enthalpy release during the adsorption process of H<sub>2</sub> on titanium-decorated monolayer graphene. The sensitivity of these thermometers is high enough to detect a hydrogen uptake of ~10<sup>-10</sup> moles, corresponding to ~0.2 ng, with an enthalpy release of about 23 μJ. The experimental setup allows, in perspective, scalability to even smaller sizes.

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# OUTLOOKS

➤ Better sensitivity using Mica instead of Si as substrate

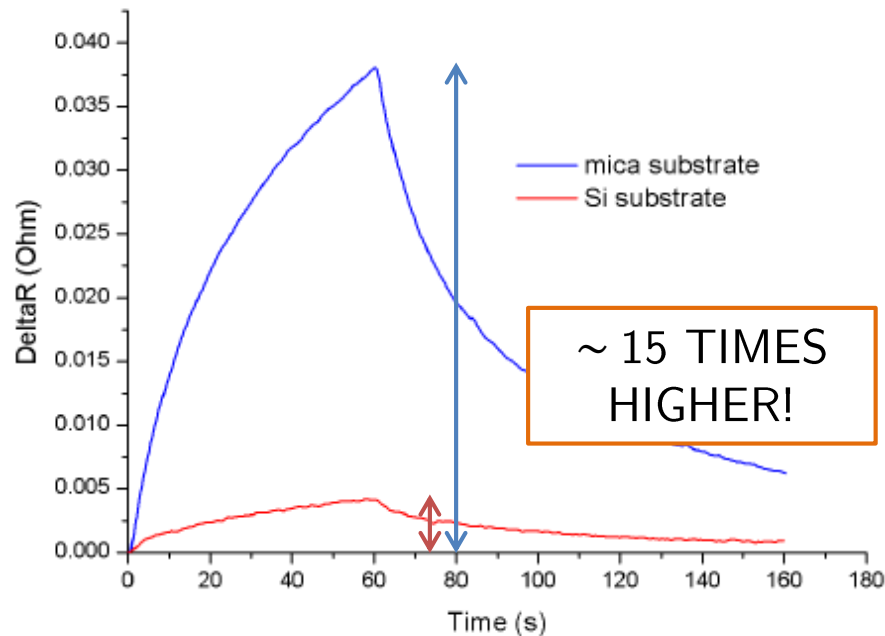
○  $\lambda_{mica} \sim 2 \cdot 10^{-7} \text{ W/K}$       vs       $\lambda_{Si} \sim 5 \cdot 10^{-6} \text{ W/K}$



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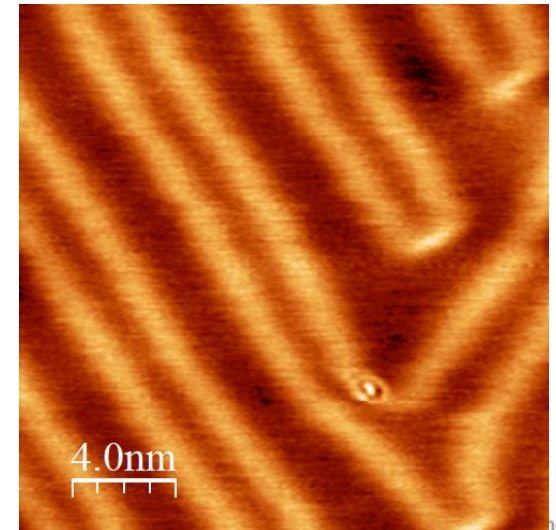
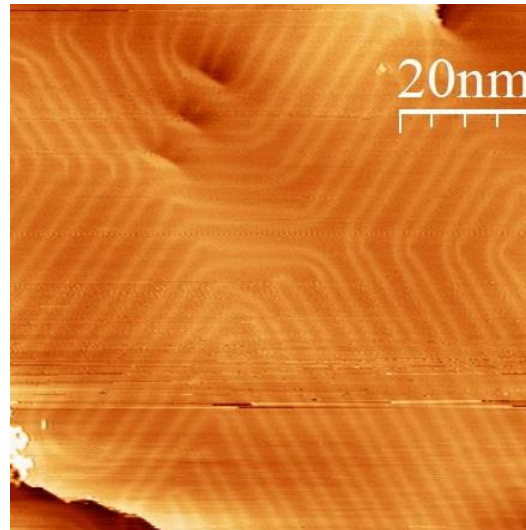
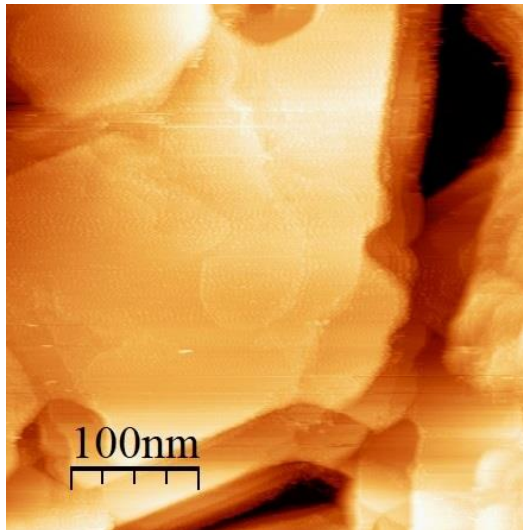
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# OUTLOOKS

- Better sensitivity using Mica instead of Si as substrate
  - $\lambda_{mica} \sim 2 \cdot 10^{-7} \text{ W/K}$       vs       $\lambda_{Si} \sim 5 \cdot 10^{-6} \text{ W/K}$
- Gold surface re-crystallization → atomically flat surface → atomic resolution with STM



# PEOPLE



National Enterprise for nanoScience and nanoTechnology

# NEST

*Thank you  
for your attention*