

Half-integer Shapiro steps in InSb/Nb Josephson junctions

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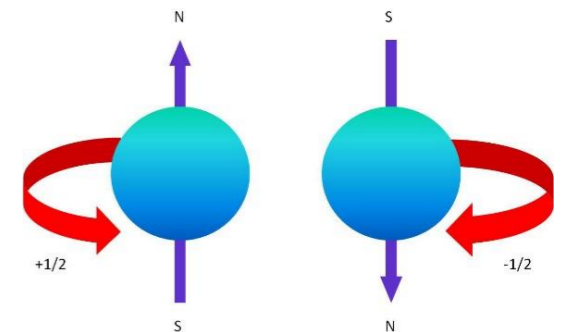
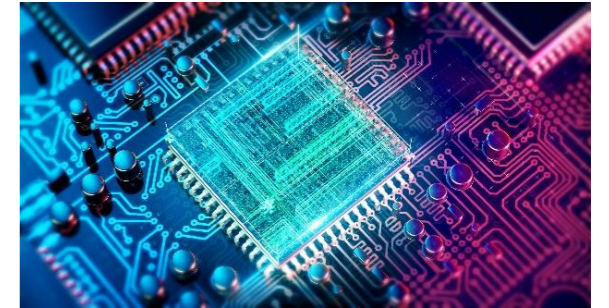
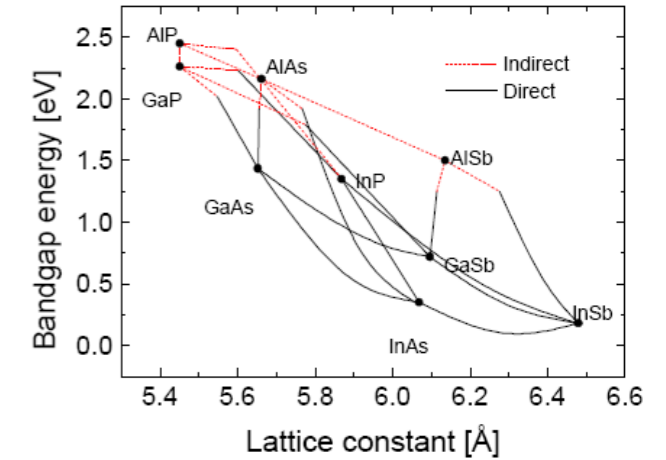
AndQC

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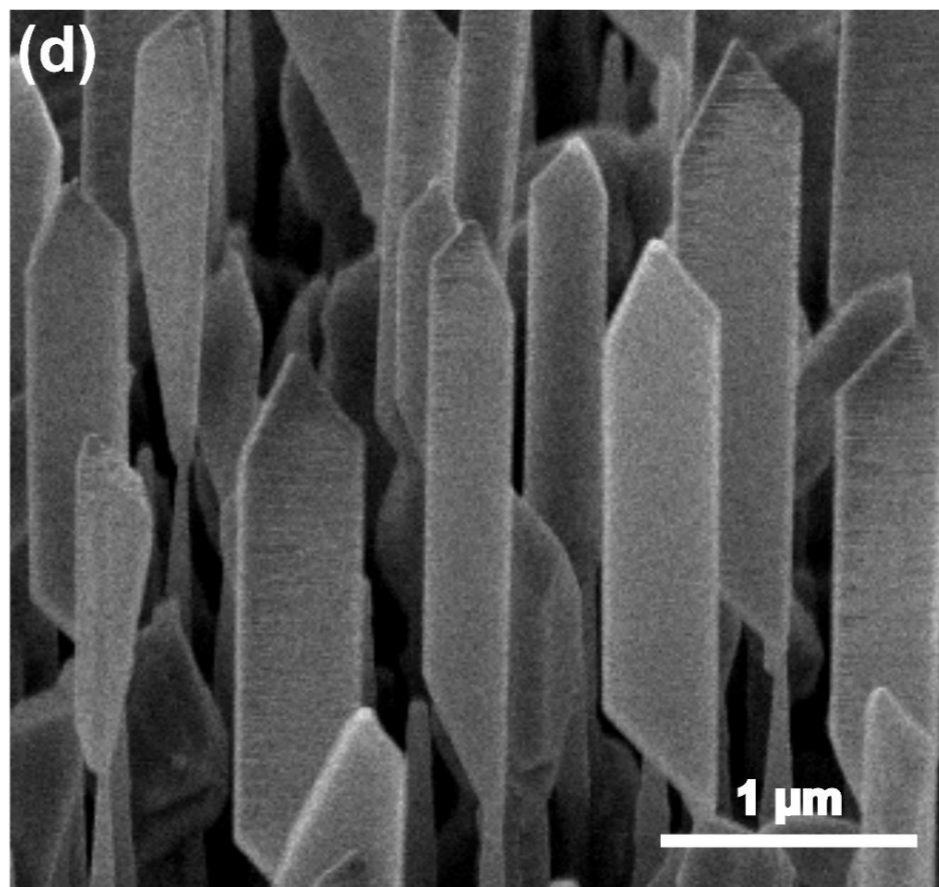
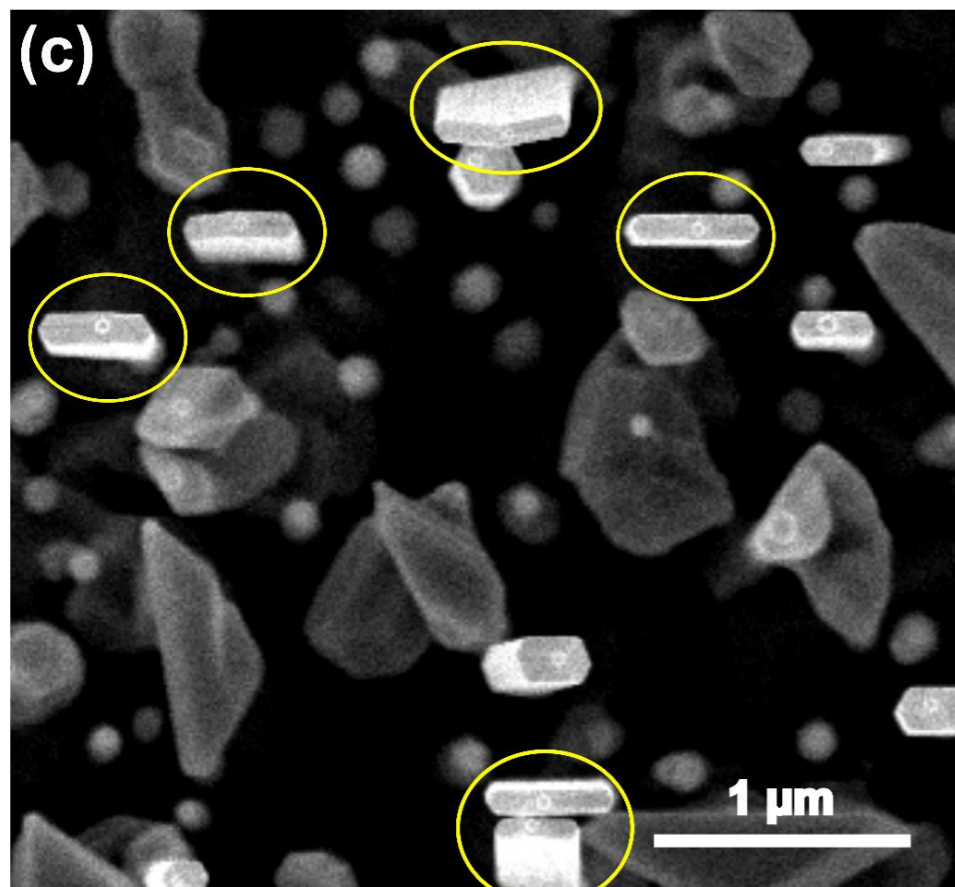
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Why InSb?

- Narrow bandgap (0.23 eV) \longrightarrow mid-infrared optoelectronic devices.
- High bulk electron mobility ($7.7 \times 10^4 \text{ cm}^2/(\text{Vs})$), small effective mass ($0.018 m_e$) \longrightarrow high-speed and low-power electronic devices.
- Strong spin-orbit interaction ($E_{SOI} \sim 200 \mu\text{eV}$), large Landé g-factor ($g^* \sim 50$) \longrightarrow spintronics and topological quantum computing.



InSb Nanoflags



Defect-free InSb
zinc blende
lattice

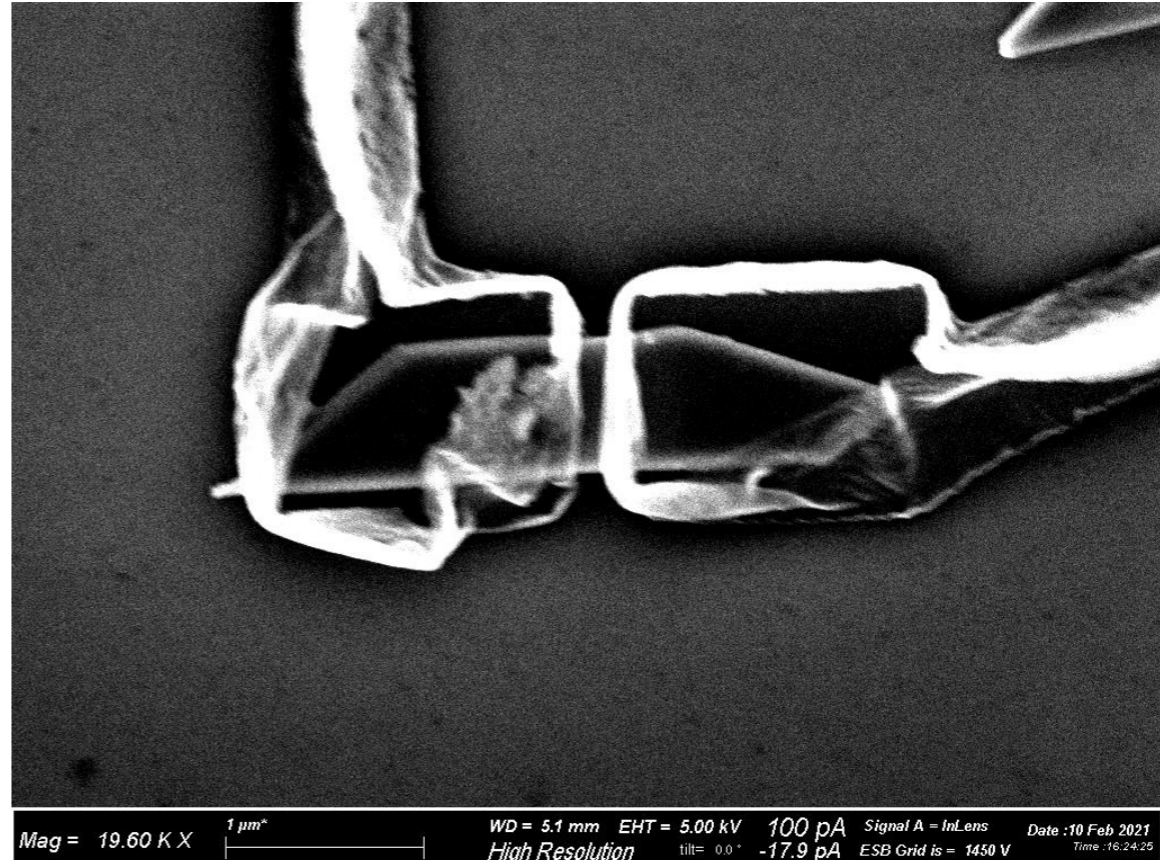
InSb nanoflags:
Length 2.8 μm
Width 470 nm
Thickness 105 nm

High mobility
29500 cm²/(Vs)

- I. Verma et al., ACS Applied Nano Materials 4 (2021) 5825.
S. Salimian et al., Appl. Phys. Lett. 119, 214004 (2021).
B. Turini et al., Nano Lett. 22, 8502–8508 (2022).

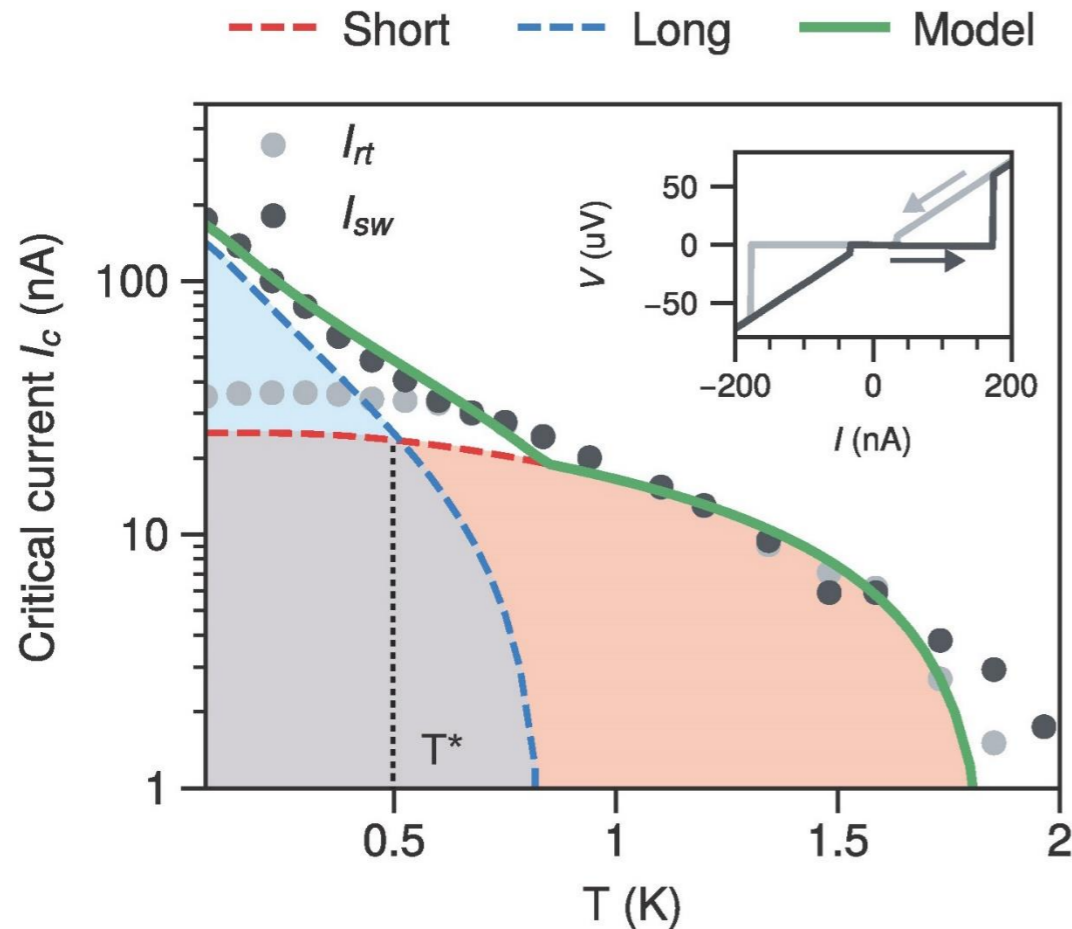
Nb-InSb Nanoflag-based JJs

- InSb nanoflag (3.35 μm x 650 nm, 100 nm-thick)
- 150 nm-thick Nb contacts
- Channel length $L = 80$ nm
- Mean free path 500 nm



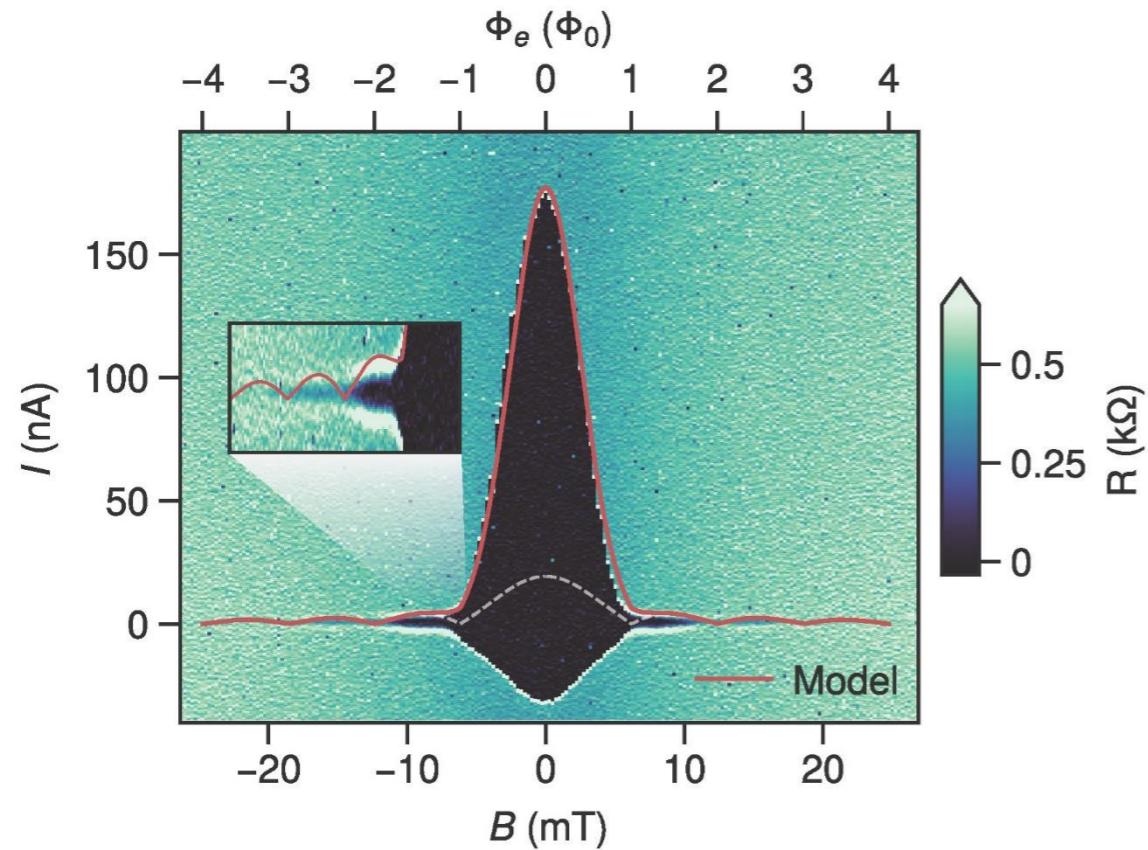
Chip SC 18 device I6 1-3

T-dependence of critical current



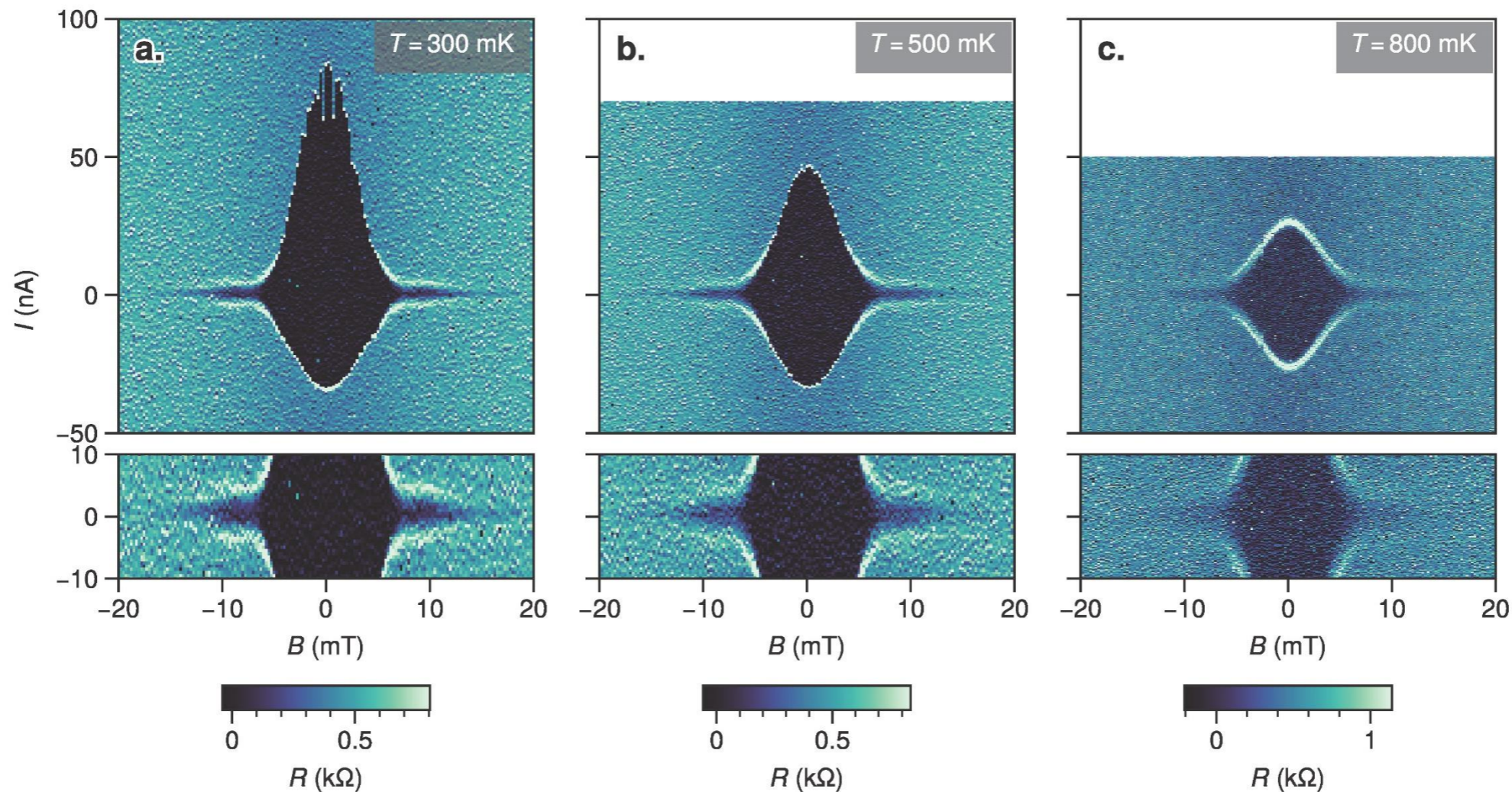
- $I_{sw} = 170$ nA
- $I_{rt} = 30$ nA
- $T > T^*$: I_{sw} follows predictions for short junction model ($\tau = 0.93$, $\Delta^* = 280$ μeV)
- $T < T^*$: exponential increase in I_{sw} with decreasing T (long junction)
- Fit: $E_{Th} = 20$ μeV , path length 3.5 μm

Magneto-transport

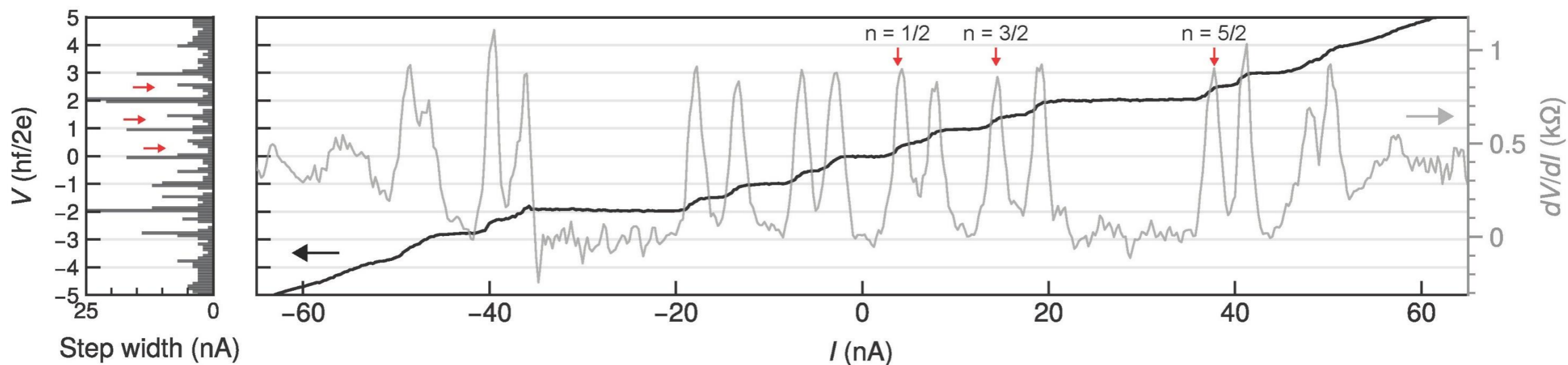


- Unconventional Fraunhofer pattern
- Well described by superposition of
 - Conventional Fraunhofer pattern (short junction)
 - Monotonic quasi-Gaussian decay (long junction)

T-dependence of magnetoresistance



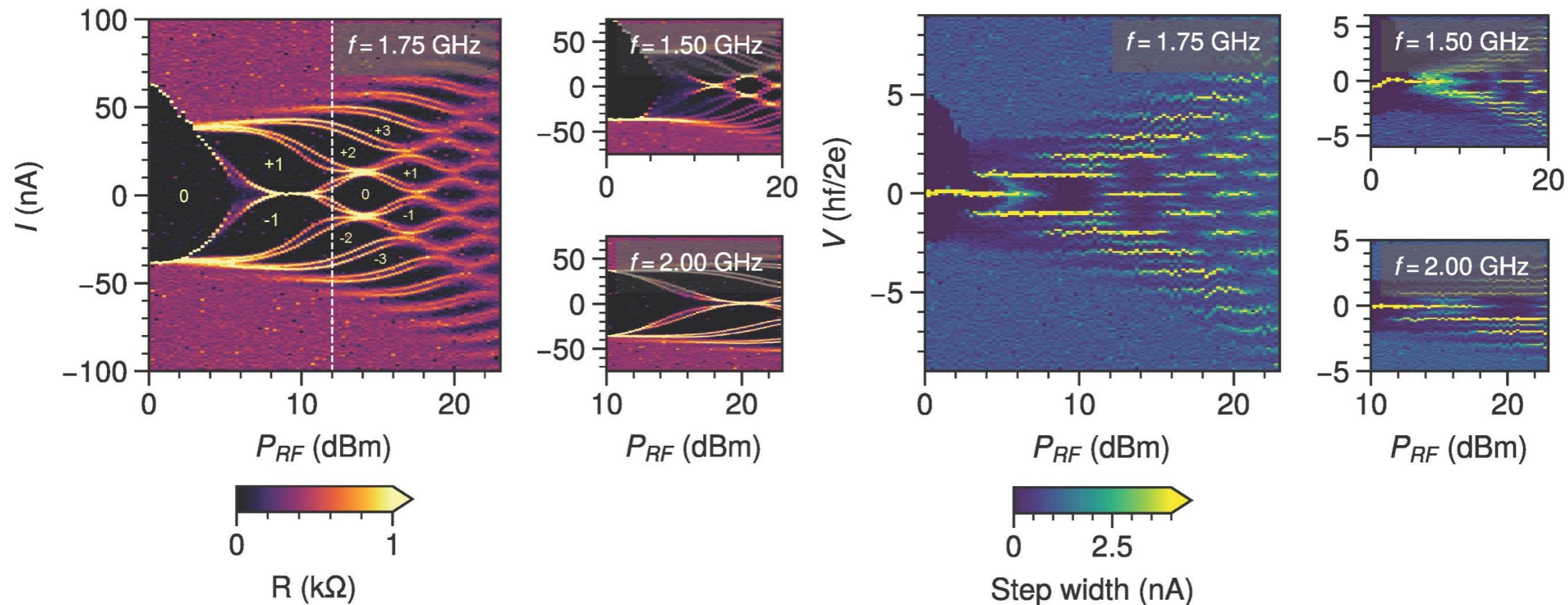
Shapiro steps



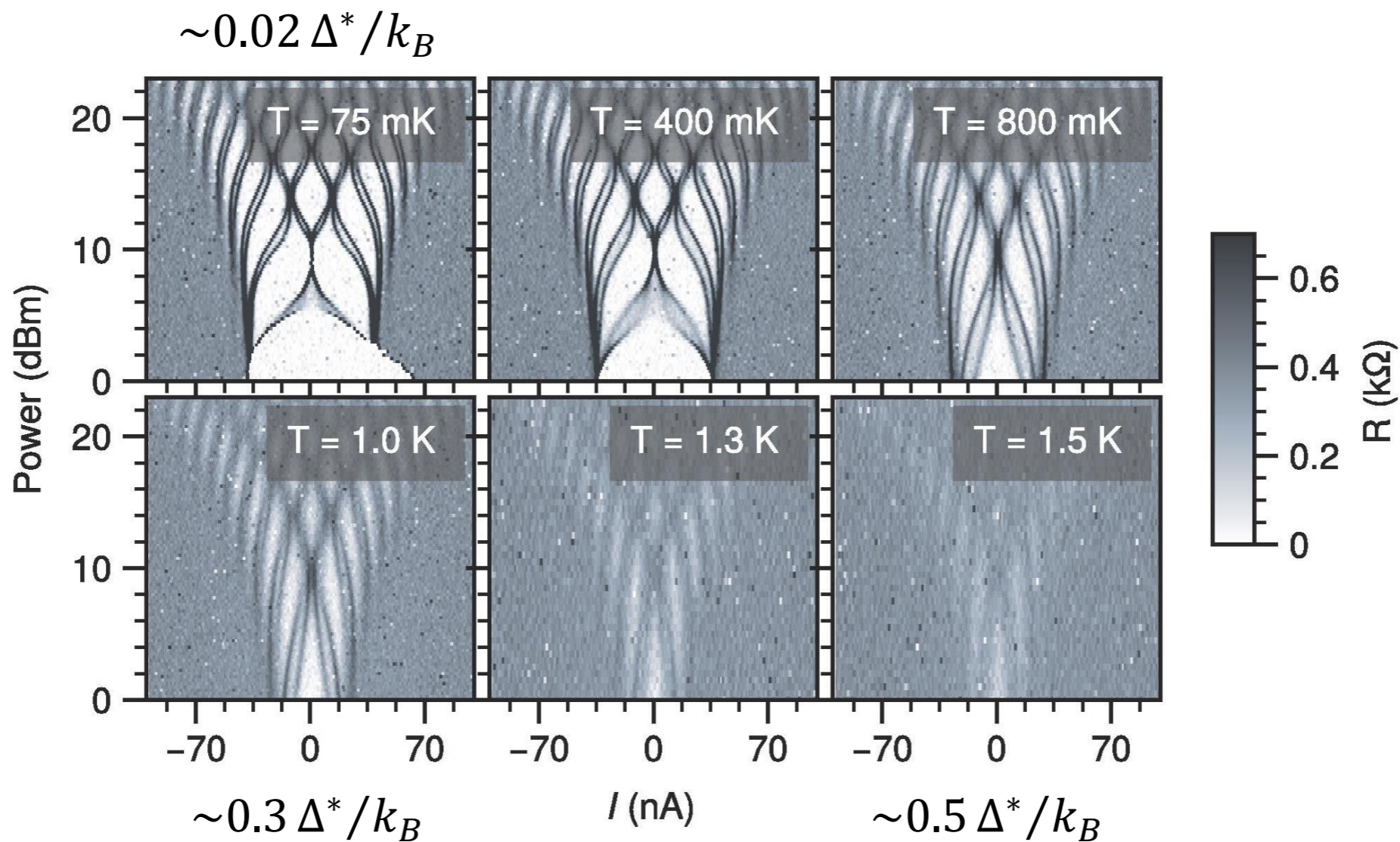
$$V_n = nhf / 2e$$

($f = 1.75$ GHz, $P_{rf} = 12$ dBm)

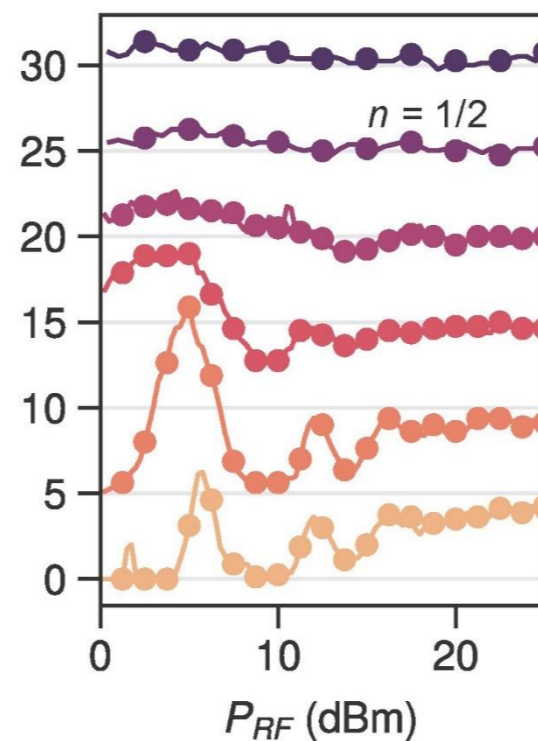
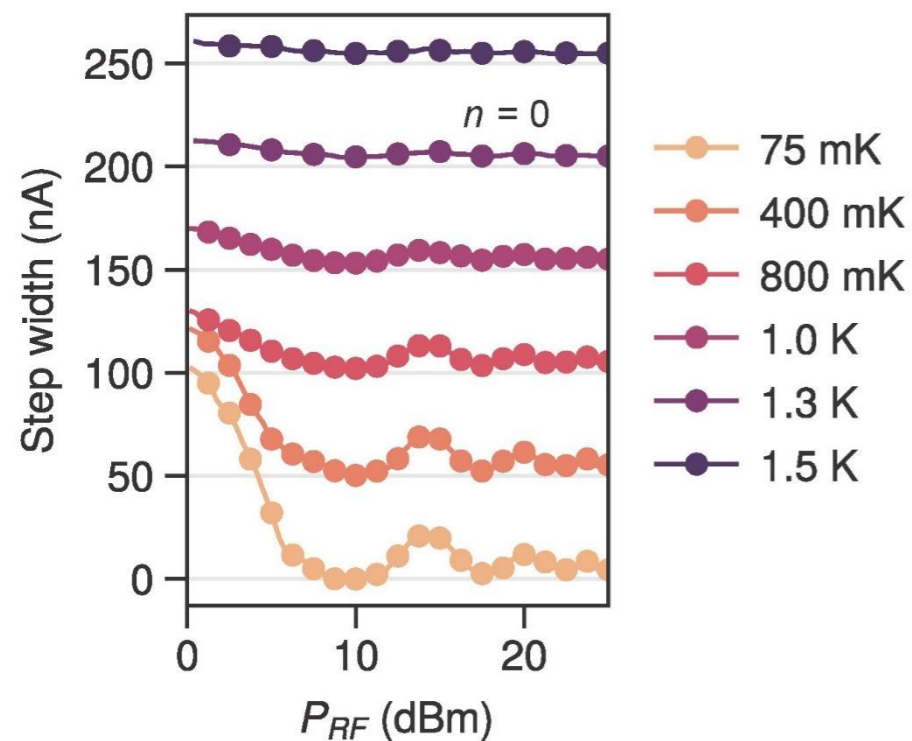
Shapiro steps



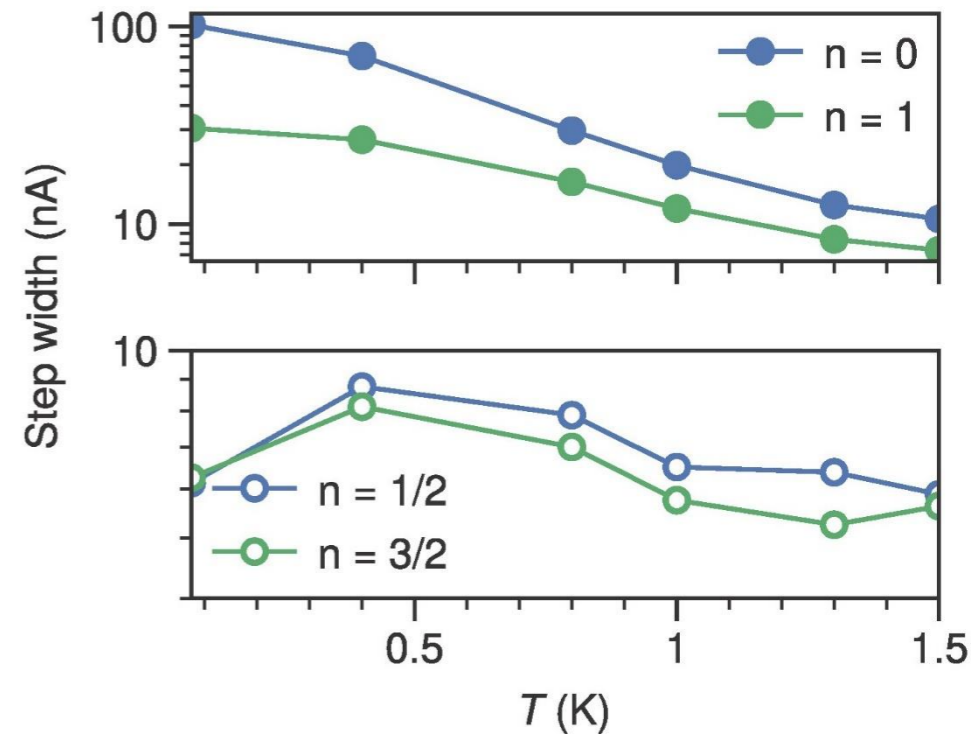
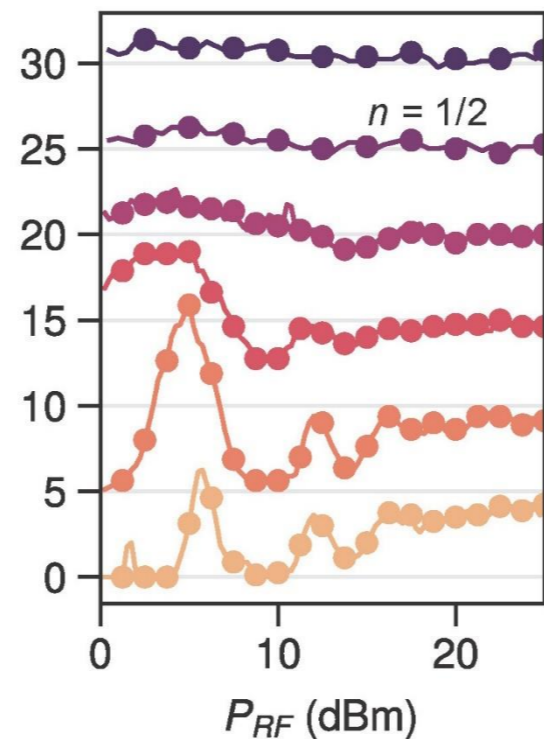
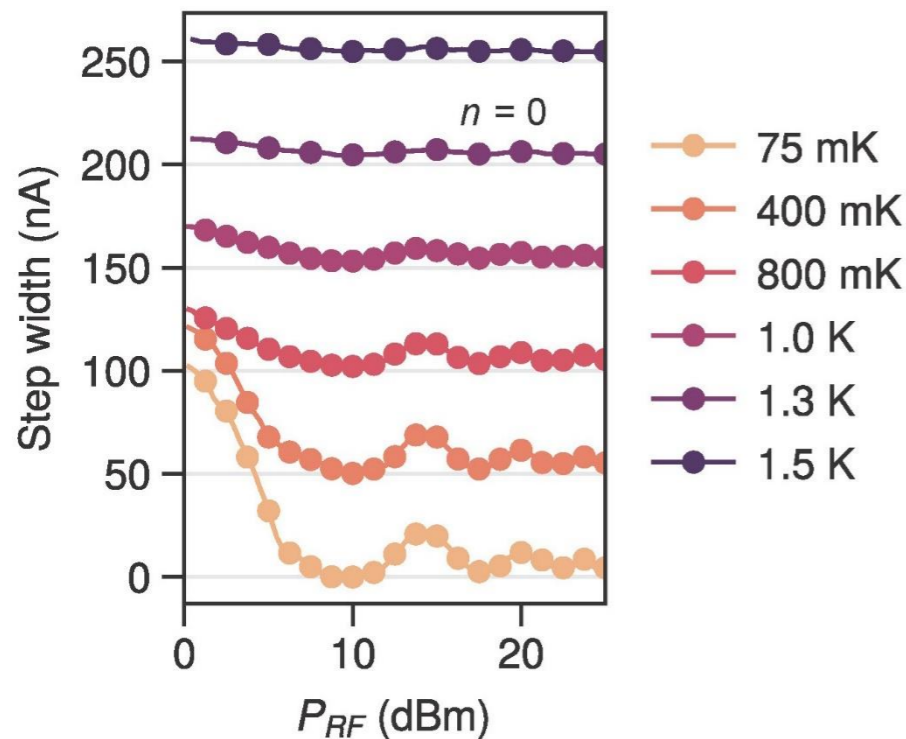
Temperature-dependence of Shapiro steps



Temperature-dependence of Shapiro steps



Temperature-dependence of Shapiro steps



Half-integer Shapiro steps (equilibrium)

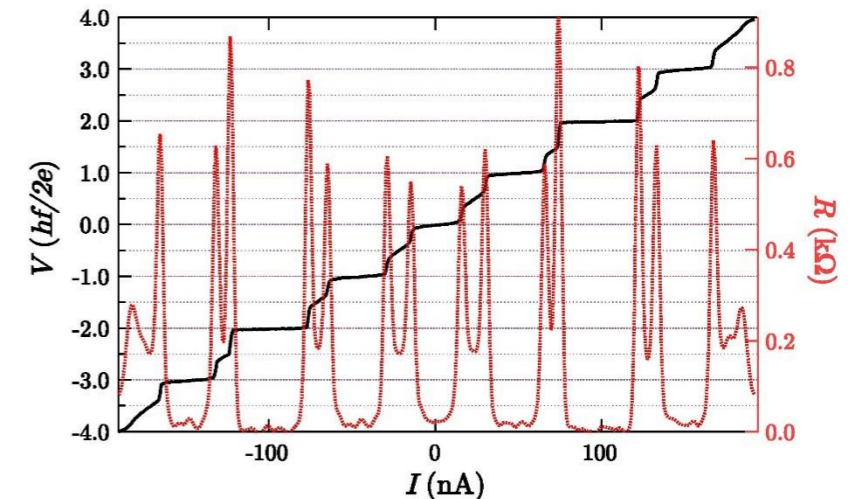
- Observed in (among others)
 - Junctions incorporating ferromagnetic layers
 - More complex circuit networks, such as junction arrays or SQUIDs
 - Non-sinusoidal CPR in highly transparent SNS

PHYSICAL REVIEW RESEARCH 2, 033435 (2020)

Evidence of half-integer Shapiro steps originated from nonsinusoidal current phase relation in a short ballistic InAs nanowire Josephson junction

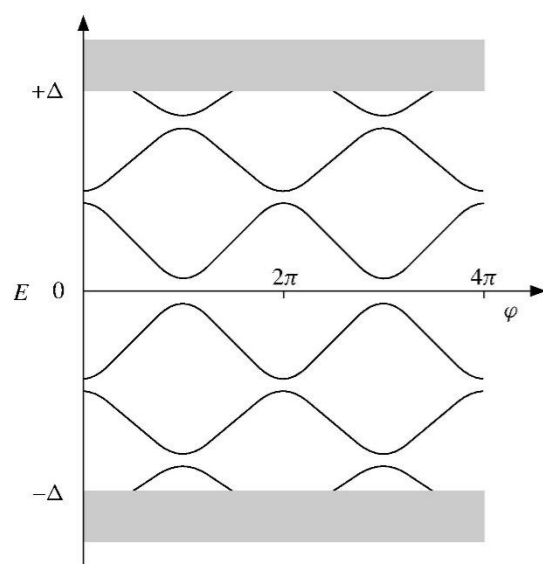
Kento Ueda^{1,*} Sadashige Matsuo^{2,3,†} Hiroshi Kamata⁴ Yosuke Sato,¹ Yuusuke Takeshige¹ Kan Li,⁵ Lars Samuelson,⁶ Hongqi Xu^{5,6,7,‡} and Seigo Tarucha^{3,§}

We report on half-integer Shapiro steps observed in a gate-tunable short ballistic InAs nanowire Josephson junction. We observed the Shapiro steps of the short ballistic InAs nanowire Josephson junction and found the half-integer steps in addition to the conventional integer steps. In this Josephson junction device the junction transmission can be varied with gate voltage. From measurements of the gate voltage and temperature dependences of the Shapiro steps, the origin of half-integer steps is assigned to the skewness of the current phase relation in the short ballistic Josephson junctions. These results will contribute to establish and control the superconductivity physics in the short ballistic semiconductor nanowires.

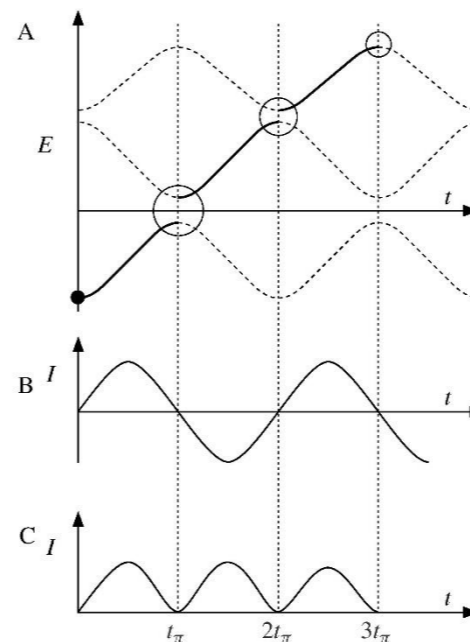
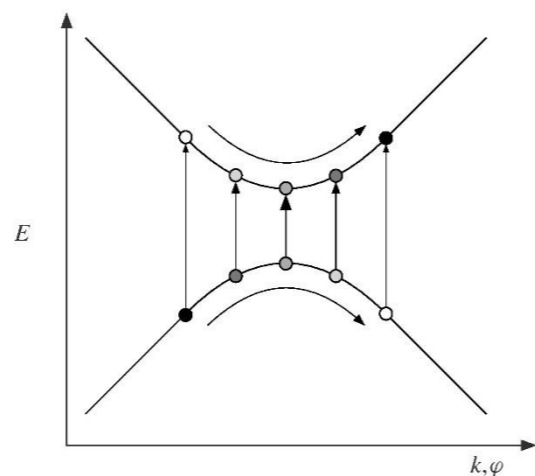


Half-integer Shapiro steps (non-equilibrium)

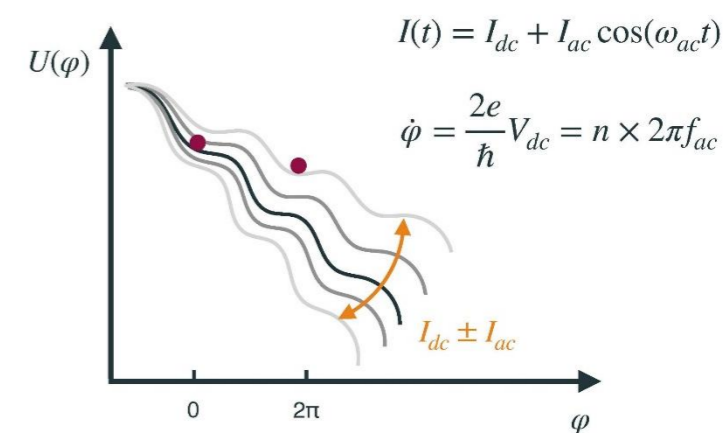
- Non-equilibrium occupation probability of Andreev Bound States
 - Strong 2φ -periodic oscillations at twice the Josephson frequency
 - Giving rise to half-integer Shapiro-steps



Schematic Andreev Bands



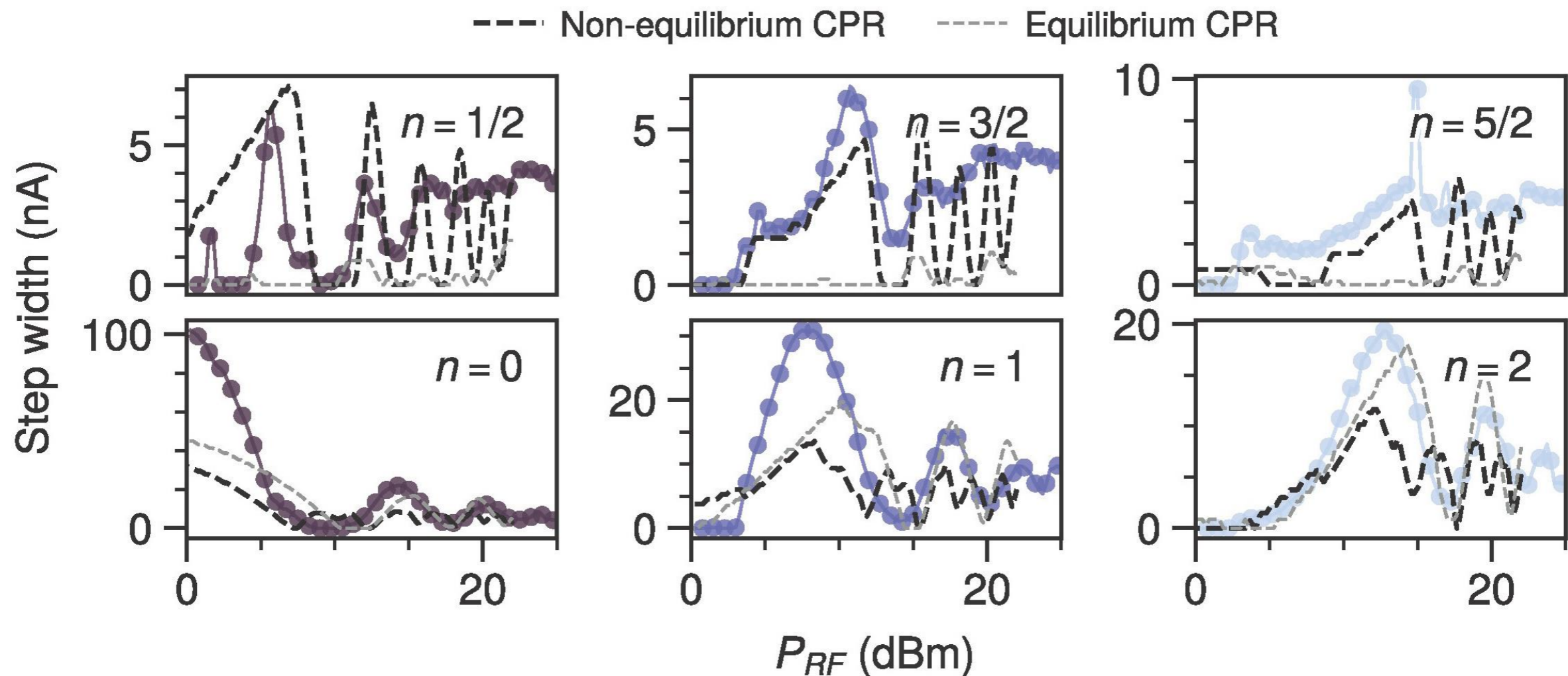
$$I = \frac{2e}{\hbar} \cdot \frac{dE}{d\varphi}$$



$$\text{Josephson frequency } \omega_J = \frac{d\varphi}{dt} = \frac{2eV}{\hbar}$$

H. Kroemer, Superlattices and Microstructures 25 (1999) 877.

Comparison with RCSJ Simulations



Conclusions

- The high transparency of the Nb-InSb interfaces allows the investigation of unexplored transport regimes (with parallel short and long conducting channels).
- Under microwave irradiation, non-equilibrium supercurrents are excited at twice the Josephson frequency, which results in half-integer Shapiro-steps.

